

⇒ Si.O. → RAY OPTICS Exam. - Imp.

[Reflection]

[Reflection of light]

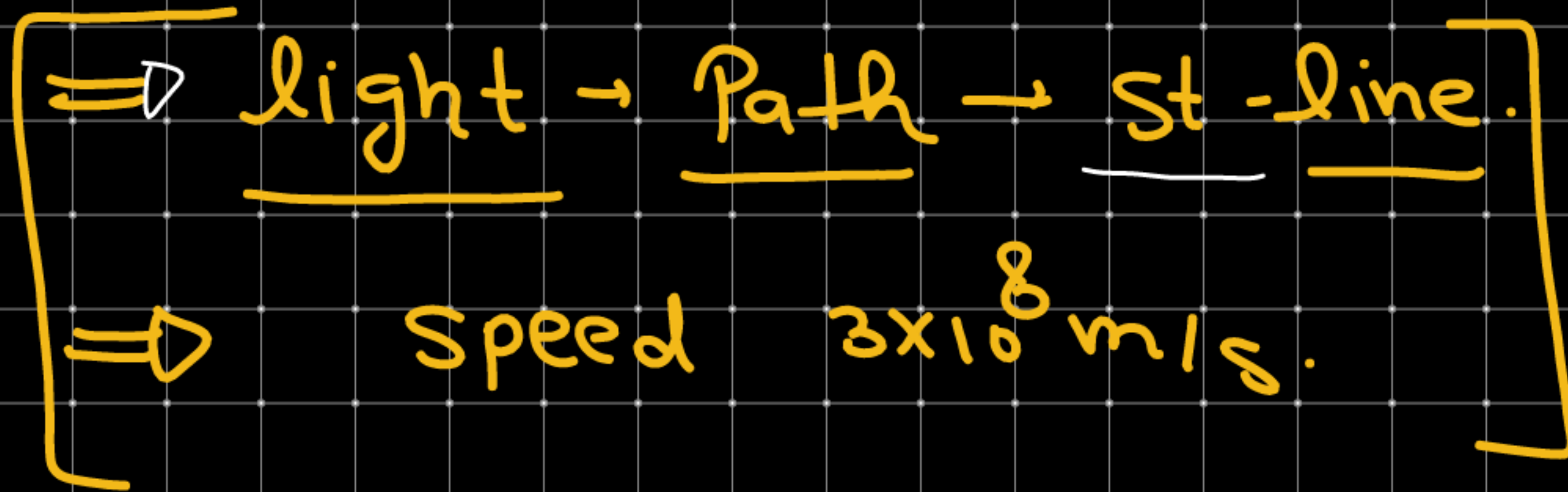
Mirror

⇒ Plane mirror

⇒ Curved mirror (Spherical mirror)

⇒ Concave mirror

⇒ Convex mirror



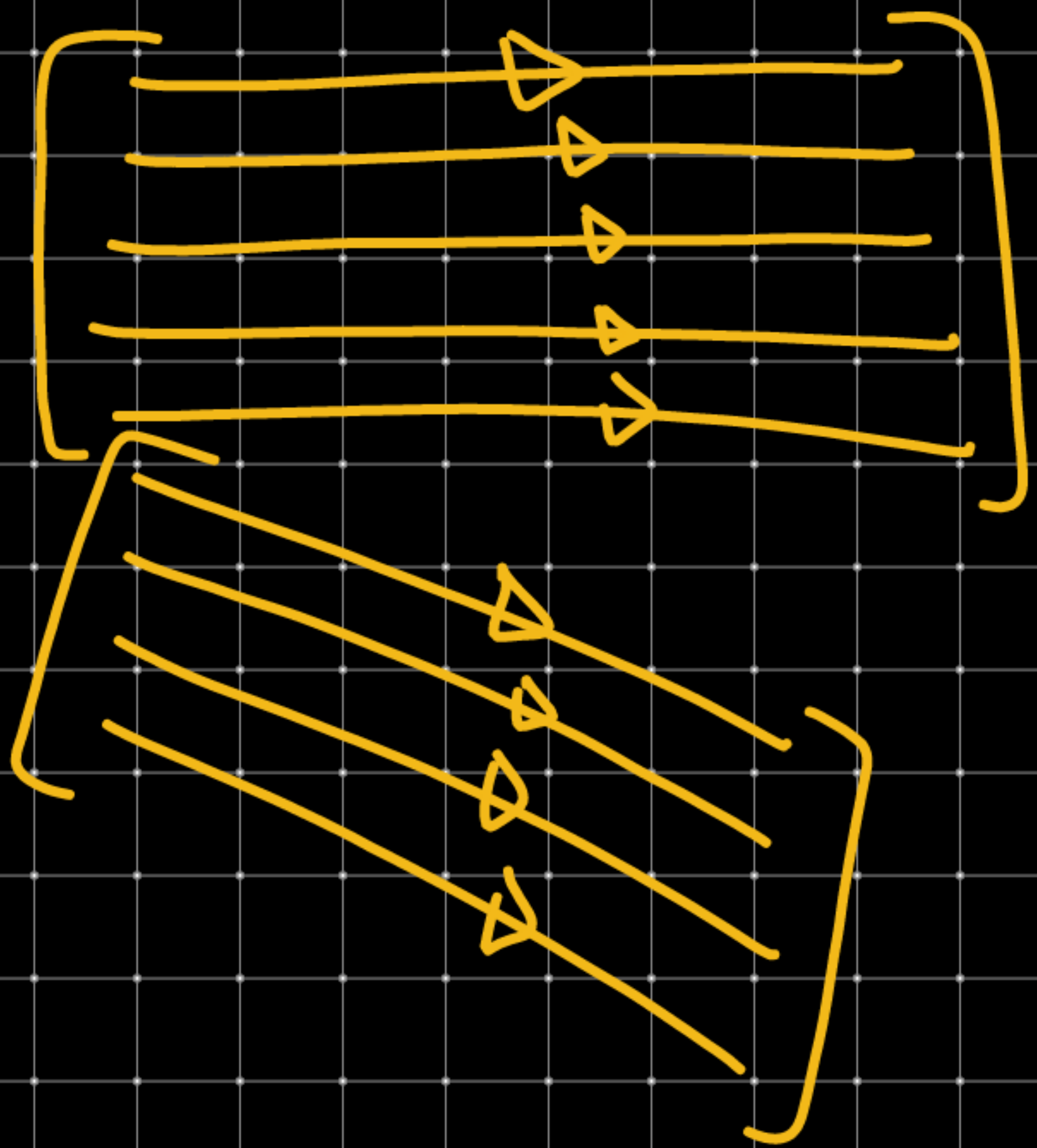
⇒ Object ⇐

Image ⇐

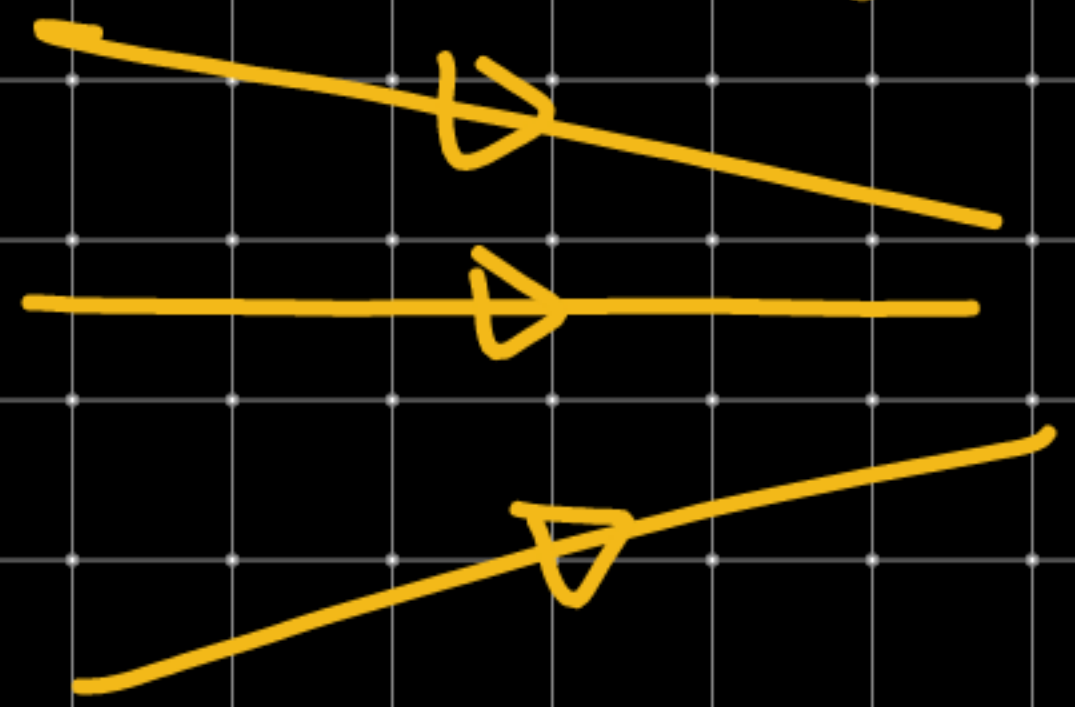


Type of Ray - 1

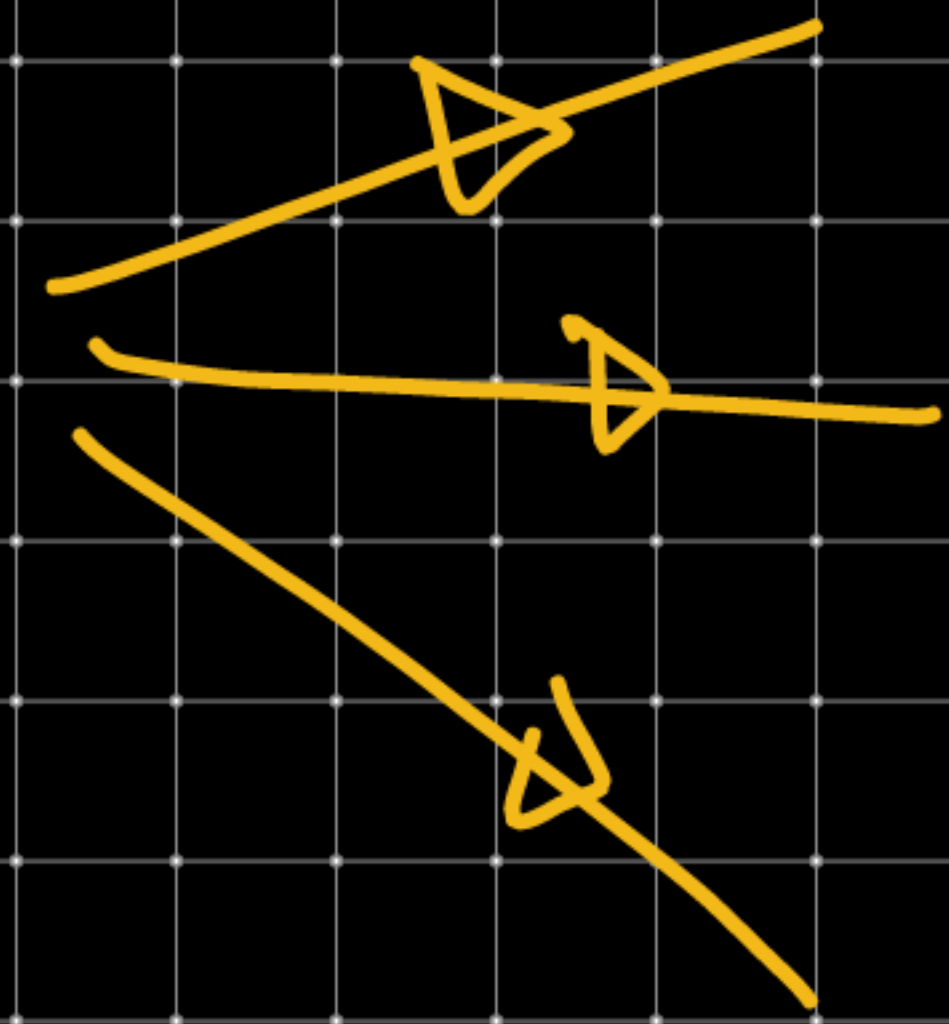
① Parallel Ray



② Converging Ray.



③ Diverging Ray

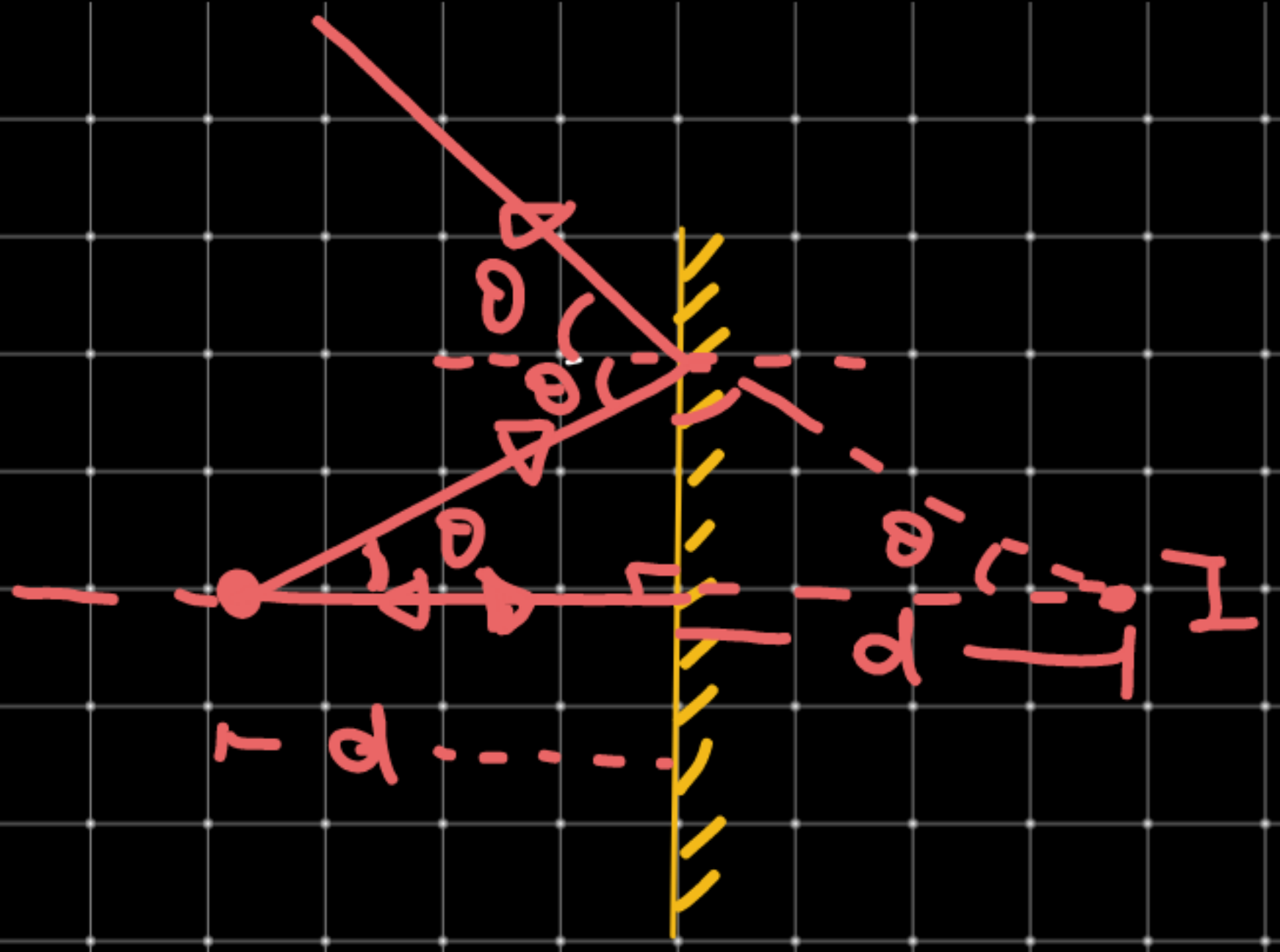


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Object :- Where light originated in Real
sence or virtually.

- Real object
- virtual object



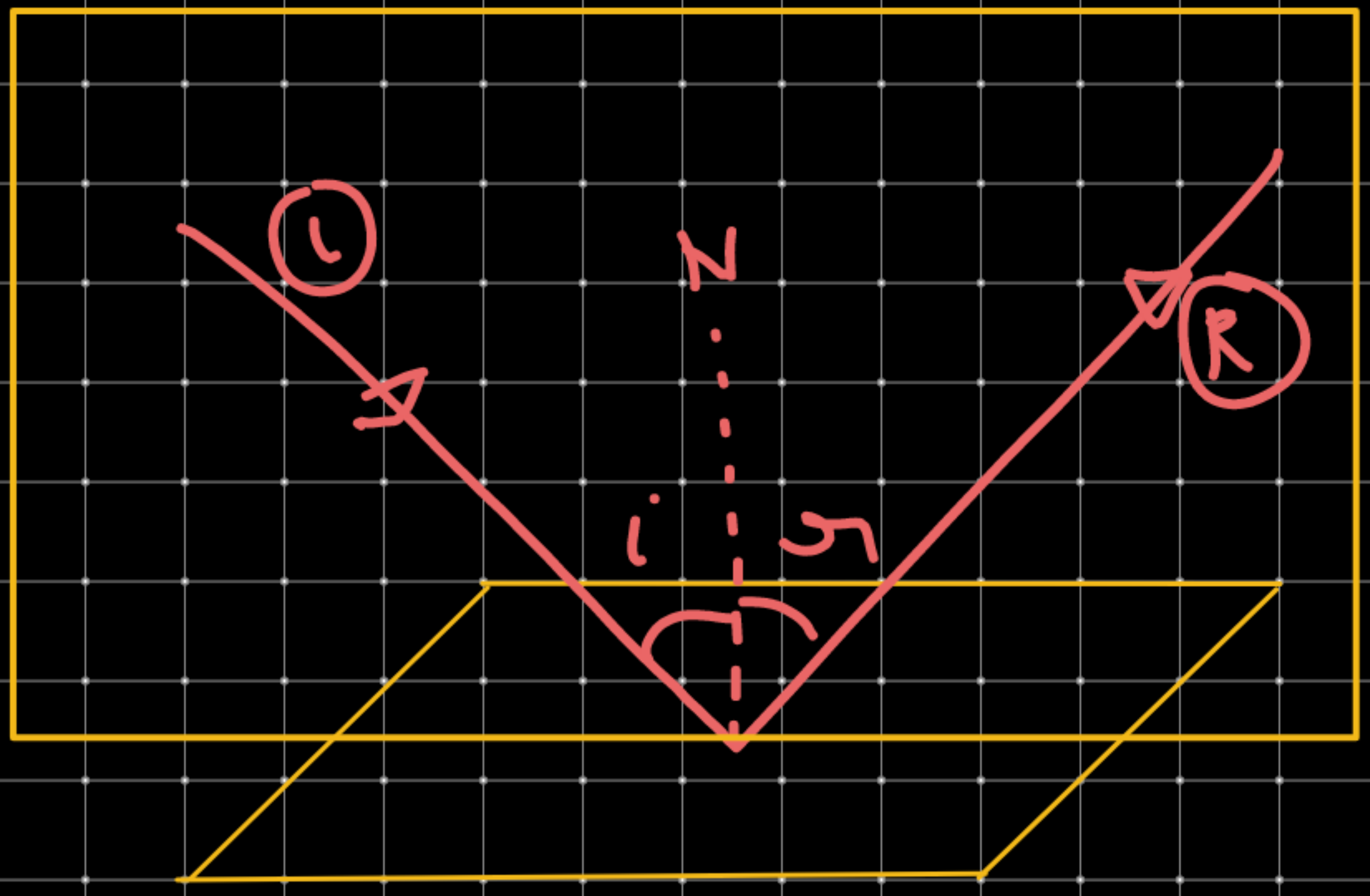


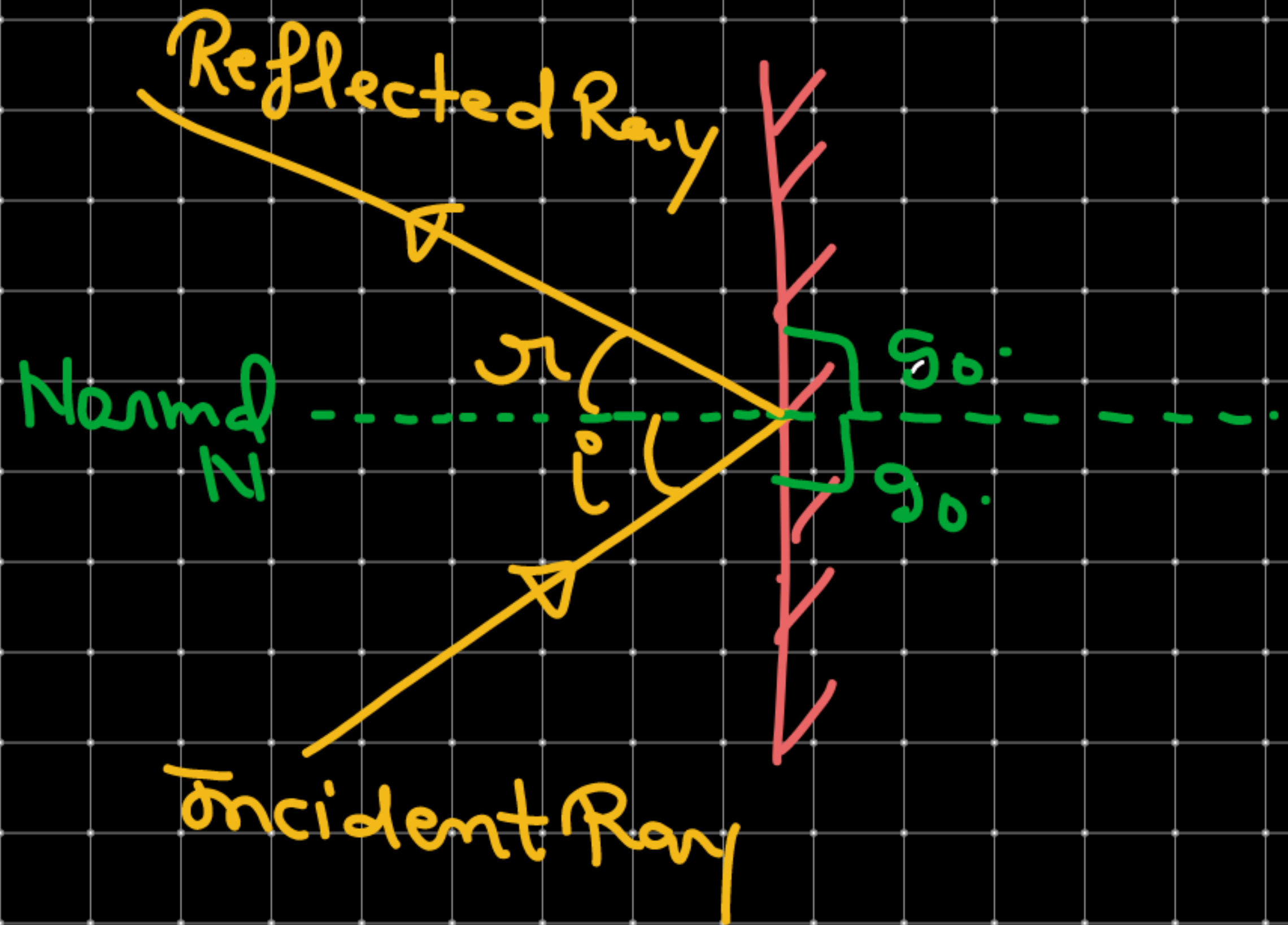
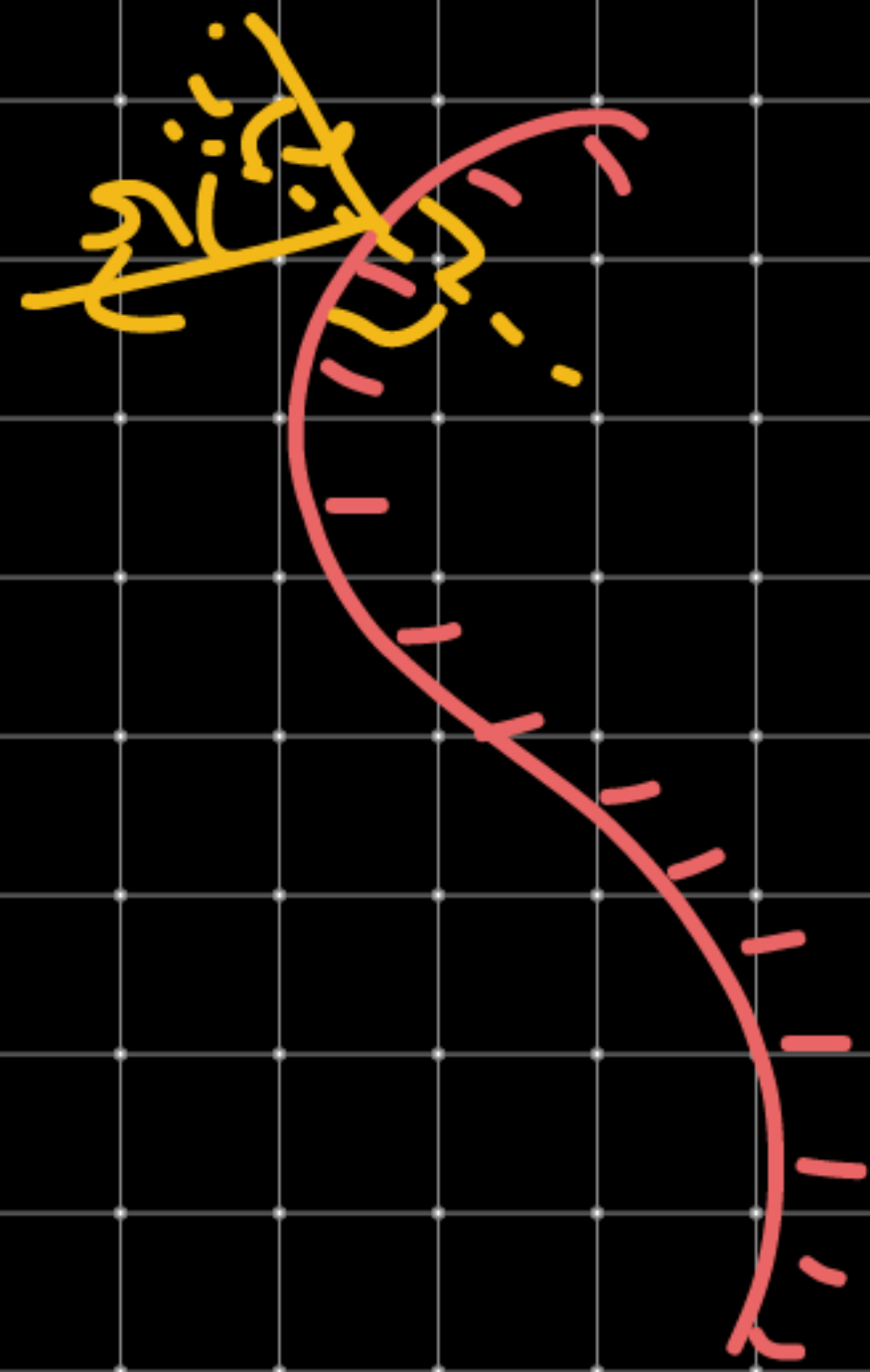
Plane
misalignment

⇒ Law on reflection :

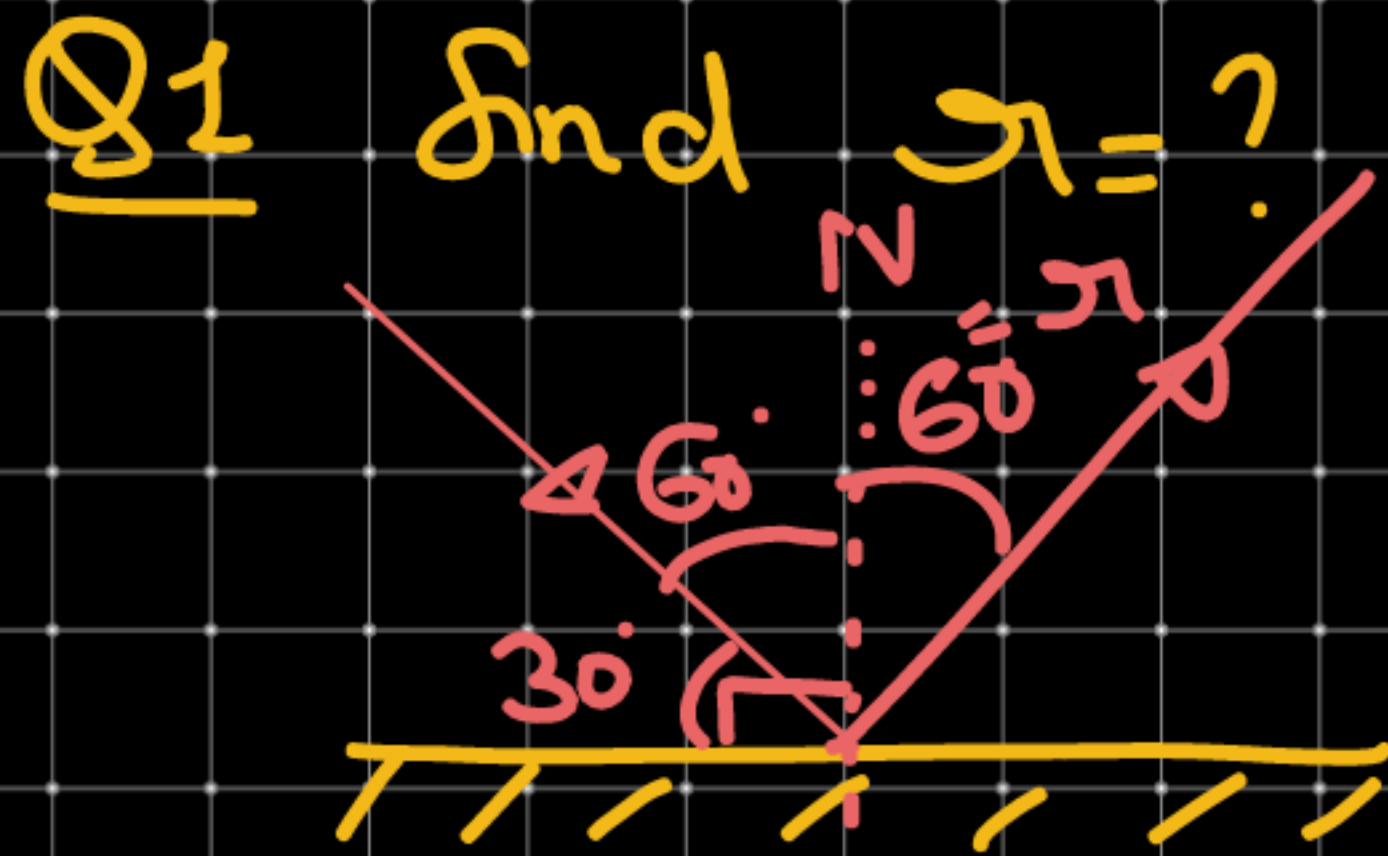
① Incident Angle = Reflected Angle.

② Incident RAY, Reflected & Normal all lie in same plane.



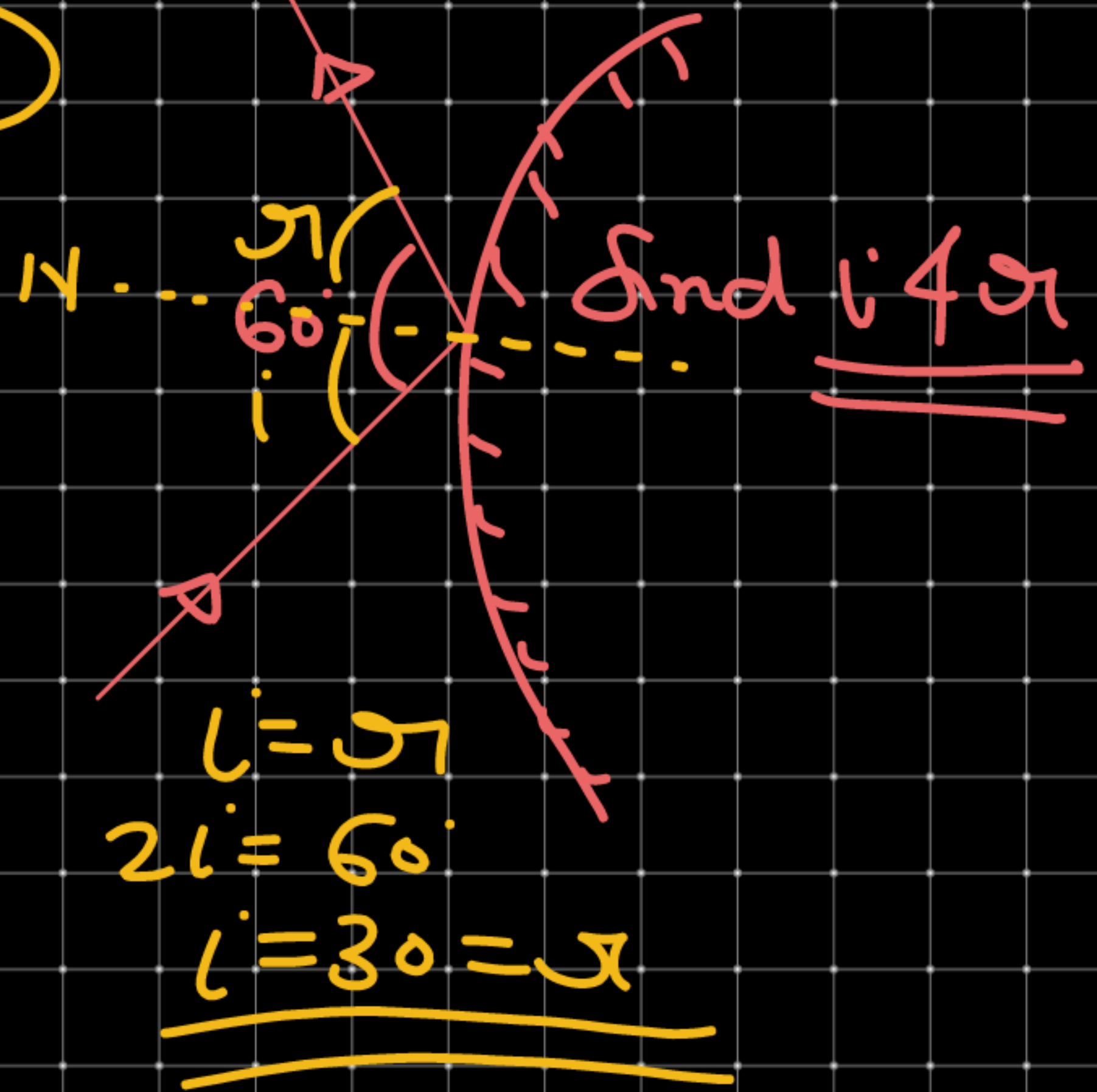


i - incident angle
 r - reflected angle. $\angle i = \angle r$.



$$l = 60 = \alpha$$

Q2

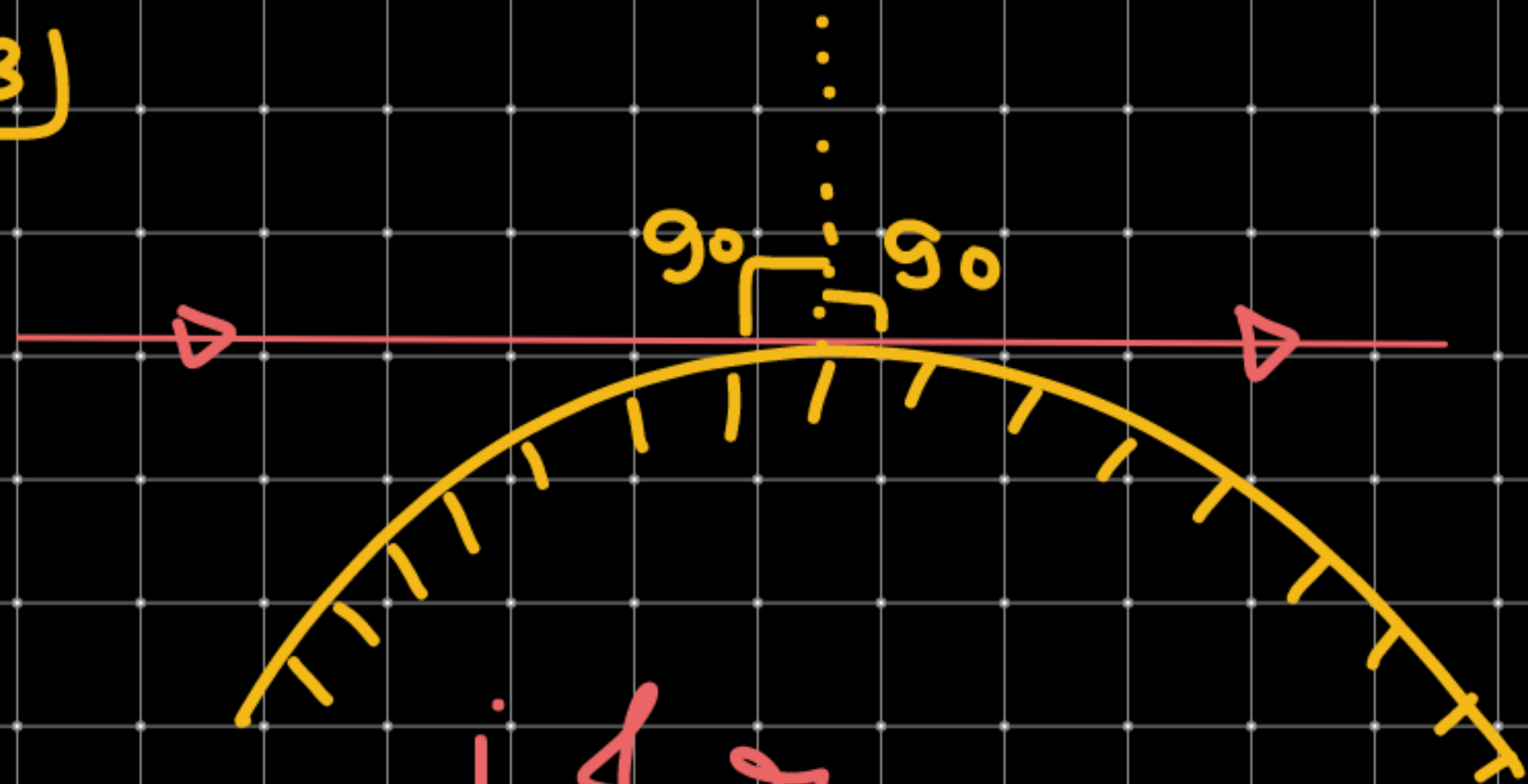


$$l = \alpha$$

$$2l = 60$$

$$l = 30 = \alpha$$

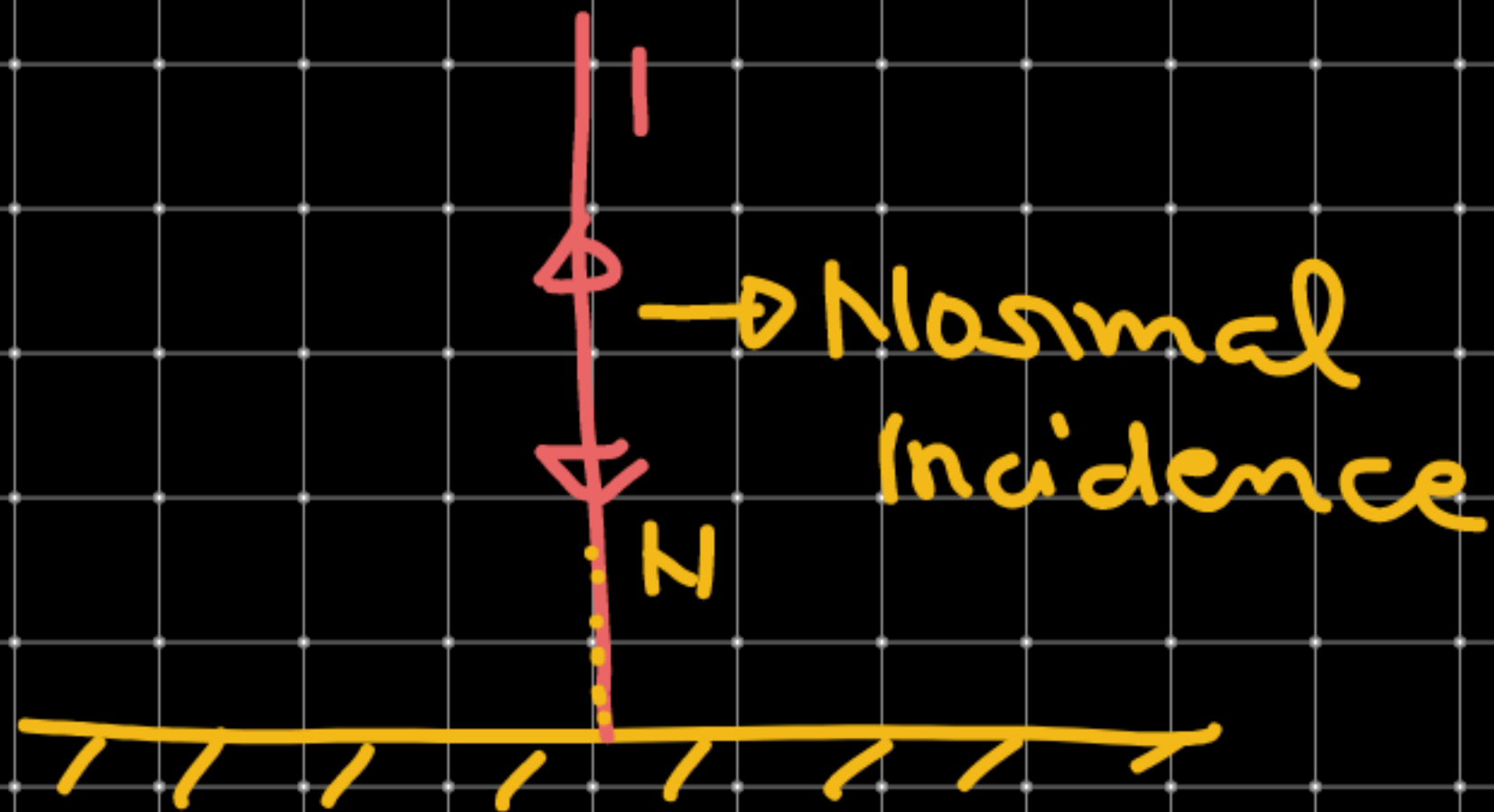
Q3)



$i = 90$

$r = 90$ \perp

Q4)



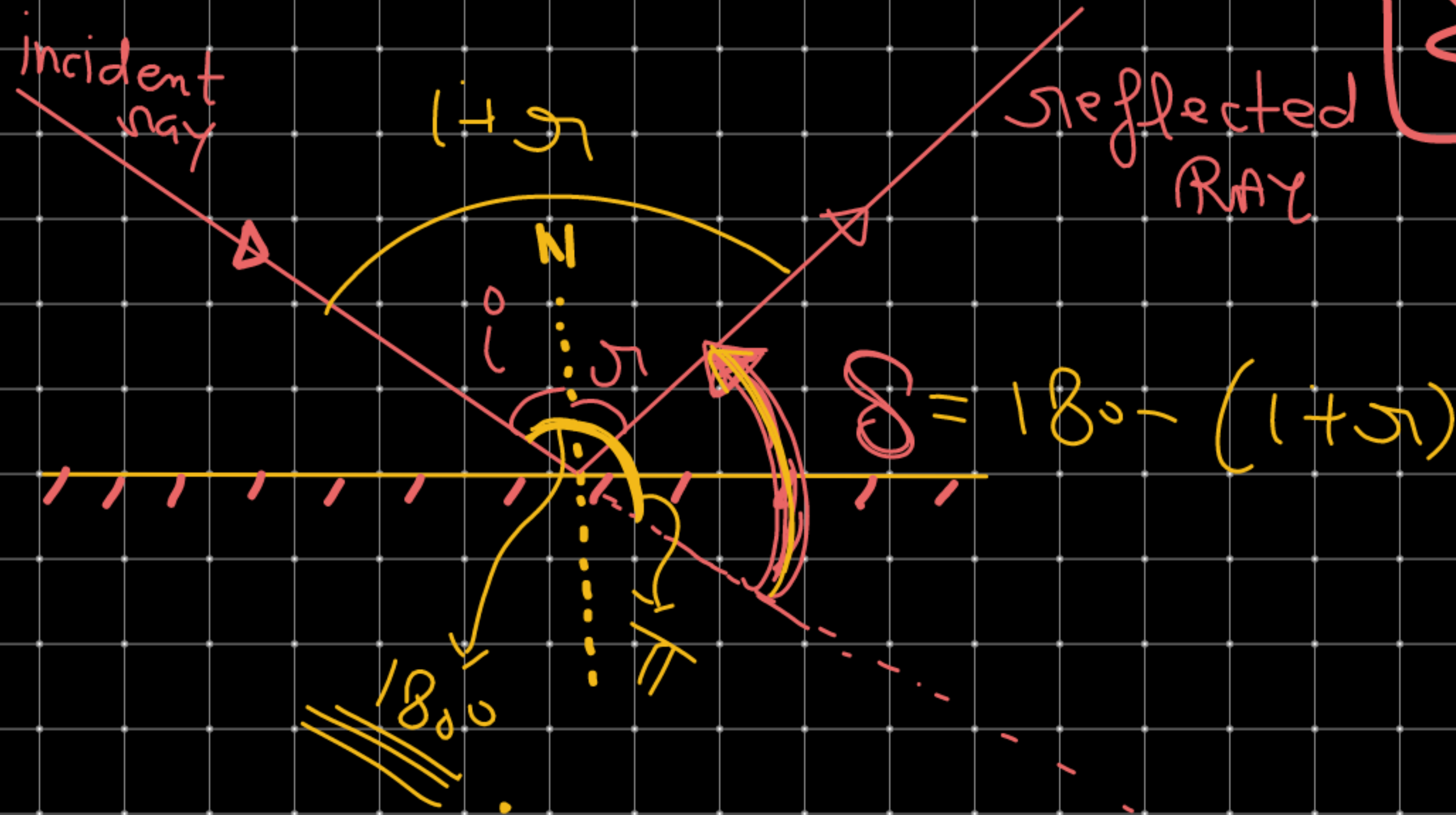
$i = 0$

Angle of deviation:- through plane mirror.

Deviation (δ) :- $i = r$

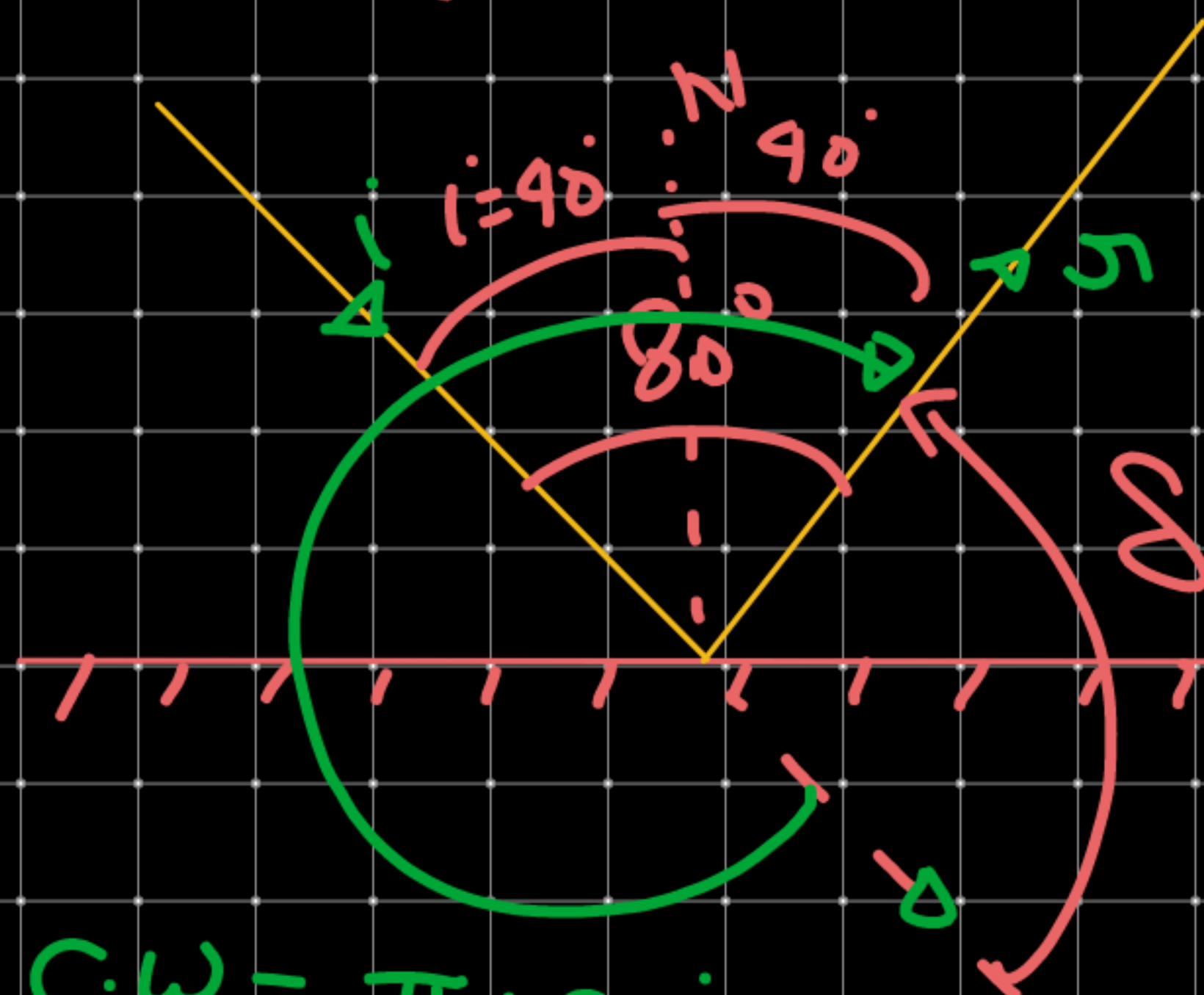
$\delta = \pi - 2i$ (A.C.W)

$\delta = \pi - 2r$



Q 5) Find deviation δ , if η :

260° CW



$$\delta = \pi - 2i$$

$$= \pi - 2\eta$$

$$= 180 - 80 = 100^\circ \text{ (ACW)}$$

$$\begin{aligned} \text{C.W} &= \pi + 2i \\ &= 180 + 80 \\ &= 260^\circ \end{aligned}$$

///
///
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① $\delta = \pi - 2i = \pi - 2\alpha$ [ACW]

through plane
mirror

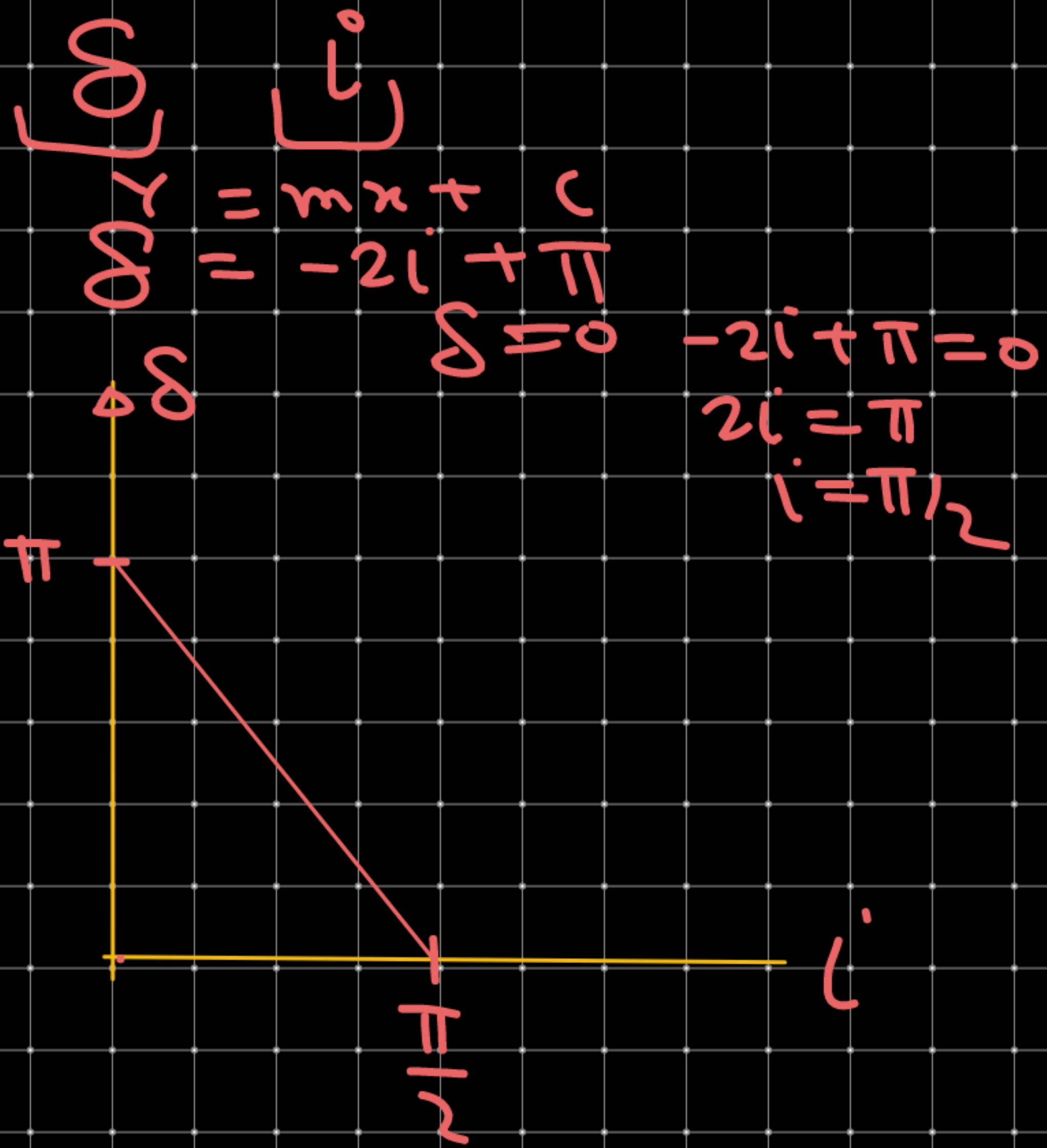
↳ graph b/w δ & i

$\delta = -2i + \pi$

$\delta = 0$
 $-2i + \pi = 0$
 $\pi = 2i$
 $i = \frac{\pi}{2}$

$\delta = -2i + \pi$
 $y = mx + c$

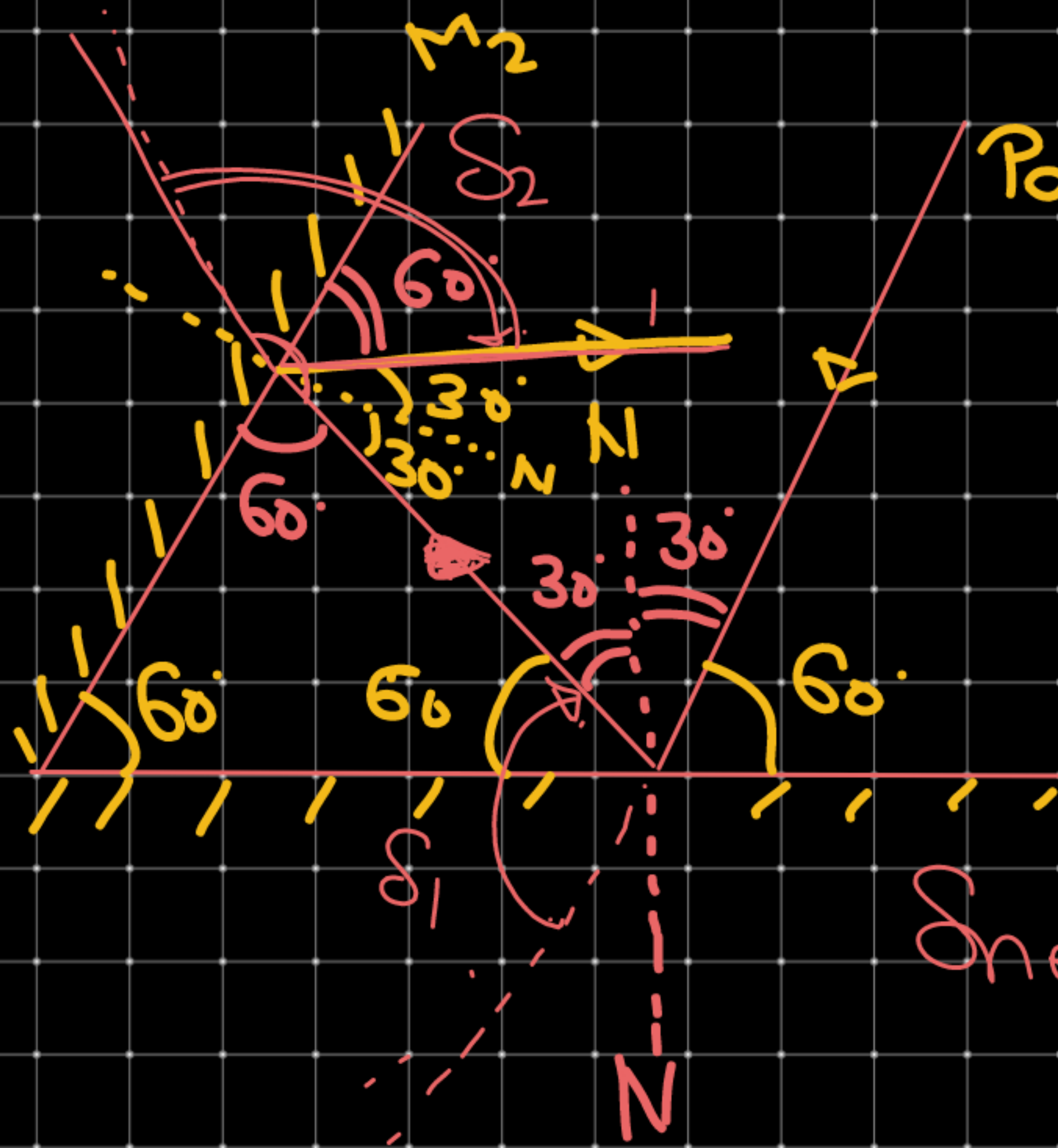




$$y = mx + c$$

\Downarrow
 Equⁿ of st-line
 $c \rightarrow$ Intercept
 $m =$ slope.

Angle of deviation through Combination of mirrors.

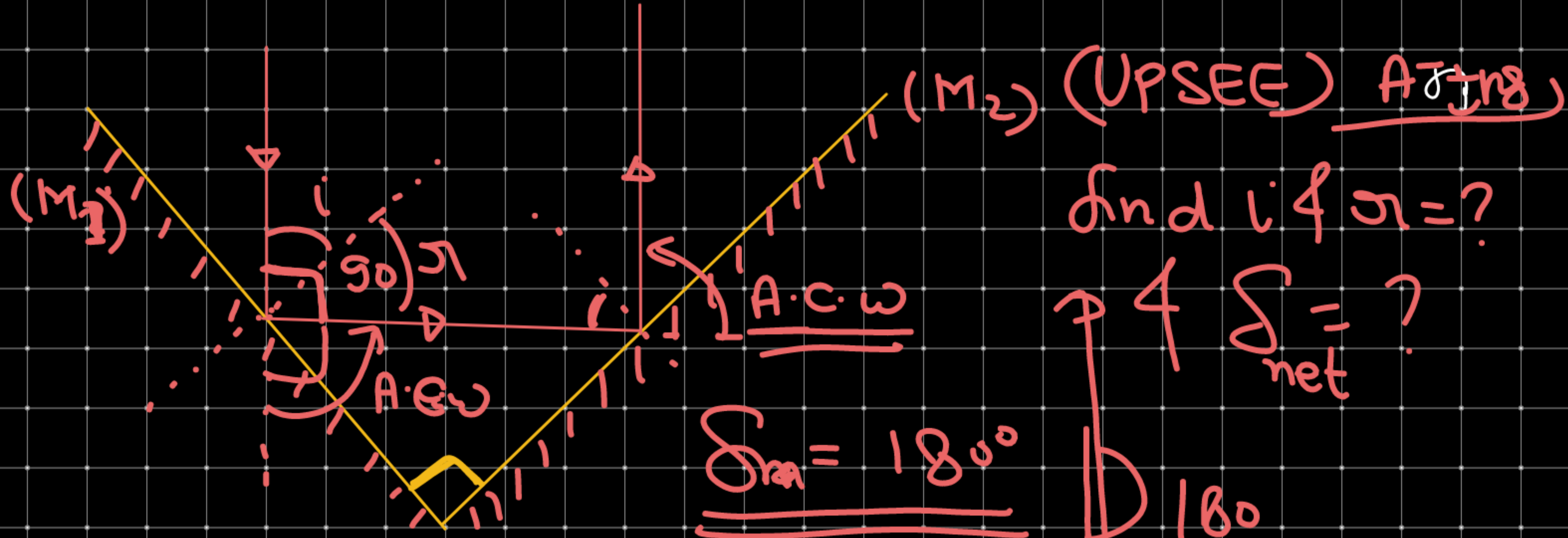


Parallel to M_2 :
 find net deviation of light.

$$\delta_1 = 180 - 60 = 120^\circ \quad \text{C.W.}$$

$$\delta_2 = 180 - 60 = 120^\circ \quad \text{C.W.}$$

$$\delta_{\text{net}} = \delta_1 + \delta_2 = 240^\circ$$

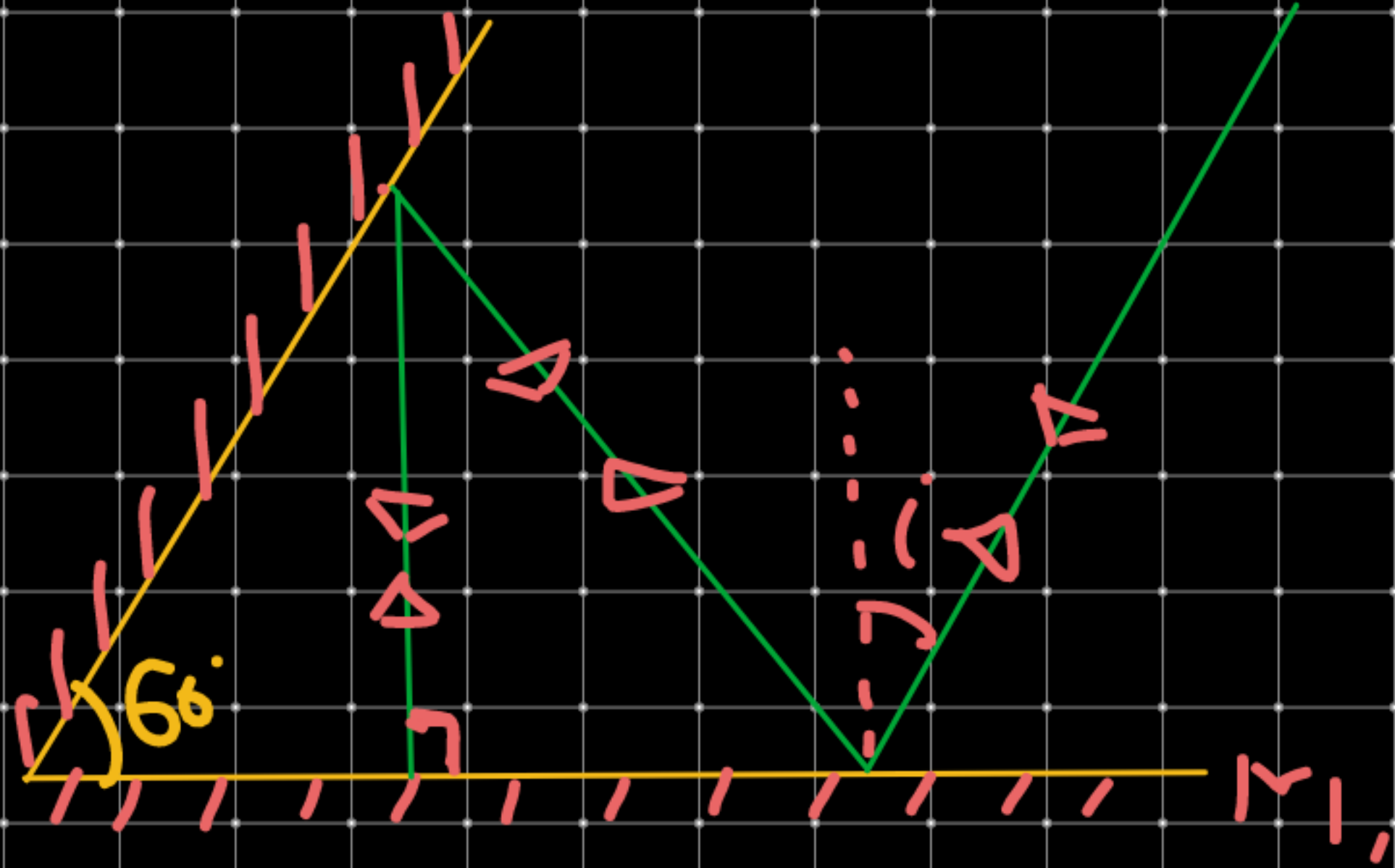


$i + r = 90$
 $i + i' = 90$
 $2i = 90$
 $i = 45^\circ$

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⑧ H.W μ_2

find angle of incidence.



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Eddy Current

