

Q 1. In a system, a revolving electron has potential energy given by: $U = ke \ln r$

Using Bohr's model, find radius of n th orbit of the electron

$$\begin{aligned}
 F &= -\frac{\partial U}{\partial r} \\
 &= -\frac{d}{dr}(ke \ln r) \\
 &= -\frac{ke}{r}
 \end{aligned}$$

$$\frac{ke}{r} = \frac{mv^2}{r}$$

$$mv^2 r = \frac{nh}{2\pi}$$

$$v = \sqrt{\frac{ke}{m} \frac{2\pi}{nh}}$$

$$r = \frac{nh}{2\pi m} \sqrt{\frac{m}{ke}}$$

Q 2. The wavelength of the first line in Balmer series in the hydrogen spectrum is λ . What is the wavelength of the second line

✓ A). $20\lambda/27$

B). $3\lambda/16$

C). $5\lambda/36$

D). $3\lambda/4$

$$\frac{1}{\lambda} = R Z^2 \left(\frac{1}{4} - \frac{1}{n^2} \right)$$

($n=3$) $\rightarrow \lambda$

$$\frac{1}{\lambda} = R \left(\frac{1}{4} - \frac{1}{9} \right)$$

$$\lambda = \frac{36}{5R}$$

$$\frac{1}{\lambda'} = R \left(\frac{1}{4} - \frac{1}{4^2} \right)$$

$$4 \lambda' = \frac{16}{3R}$$

$$\lambda' = \frac{16 \times 5 \lambda}{3 \times 36 \times 5} = \frac{20}{27} \lambda$$

Q 3. In a hypothetical atom, if transition from $n = 4$ to $n = 3$ produces visible light then the possible transition to obtain infrared radiation is

A). $n = 5$ to $n = 3$

B). $n = 4$ to $n = 2$

C). $n = 3$ to $n = 1$

D). None of these

Remaining 8 properties of electron in Bohr's atomic model

$$\omega_n = \frac{2\pi}{T_n} = \frac{v_n}{r_n} \propto \frac{(Z/n)}{(n^2/Z)} \propto \frac{Z^2}{n^3}$$

$$= 2\pi f_n \propto Z^2/n^3$$

$$i_n = \frac{e}{T_n} \propto Z^2/n^3$$

(current)

$$T_n \propto n^3/Z^2$$

$$\omega_n / f_n / i_n \propto Z^2/n^3$$

Remaining 8 properties of electron in Bohr's atomic model

$$B_n (\text{Magnetic field}) \propto \frac{\mu_0 I_n}{2r_n}$$

$$\propto \frac{\mu_0 \times (Z^2/n^3)}{2(n^2/Z)}$$

$$a_n (\text{centripetal acc.})$$

$$\propto \frac{Z^3}{n^5}$$

$$\propto \frac{v_n^2}{r_n}$$

$$\propto \frac{(Z/n)^2}{(n^2/Z)}$$

$$\propto \frac{Z^3}{n^4}$$

Remaining 8 properties of electron in Bohr's atomic model

$$M_n (\text{Magnetic Moment}) \propto L_n \times \frac{1}{\hbar} \times \frac{1}{n^2}$$

$$\propto \frac{Z^2}{n^3} \times \left(\frac{n^2}{Z}\right)^2$$

$$M_n = \frac{e h}{2 m_e} \rightarrow n=1$$

$$\propto n$$

$$M_1 = \frac{e h}{2 m_e}$$

Bohr's Magneton.

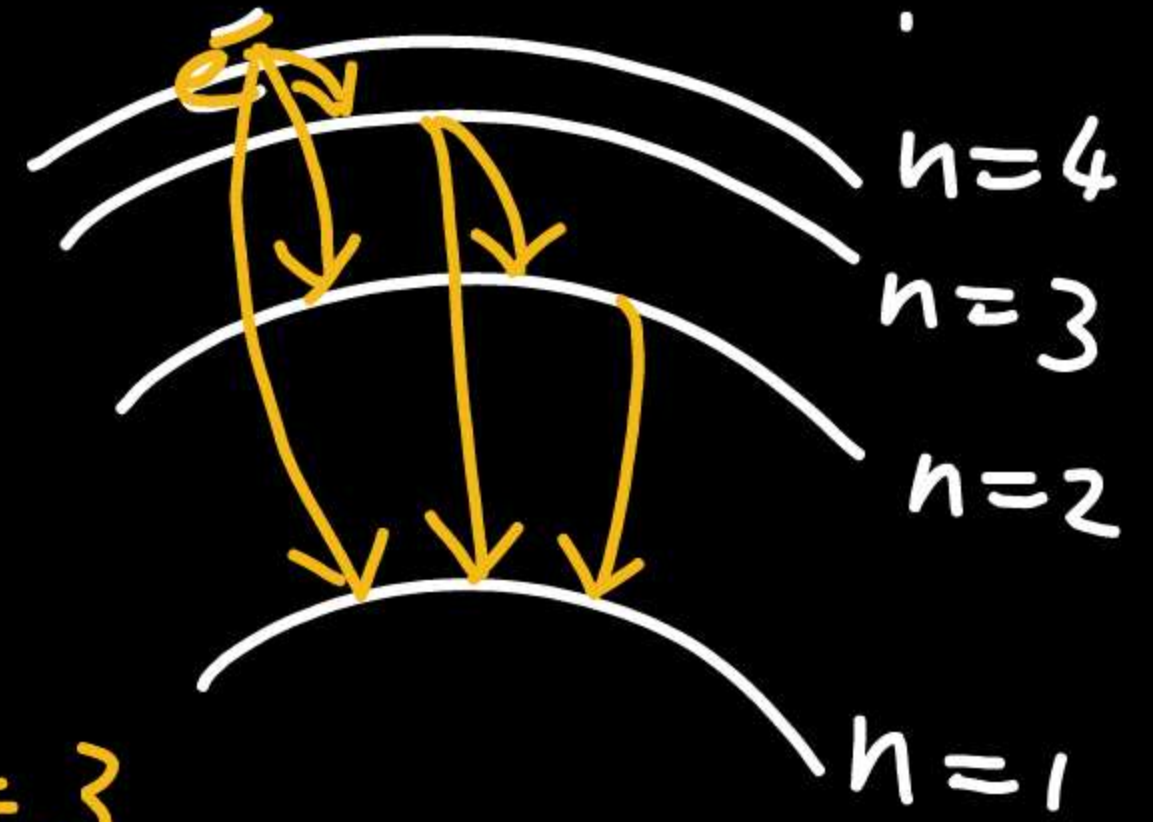
Remaining 8 properties of electron in Bohr's atomic model

$$L_n = \frac{nh}{2\pi}$$

(Angular
Momentum)

Bohr's Atomic Model (1913): De-Excitation of an atom

Q. What could be the maximum number of **possible different photons** emitted from nth state?



$$\boxed{\frac{n(n-1)}{2 \times 1}}$$

$${}^3C_2 = \frac{3 \times 2}{2 \times 1} = 3$$

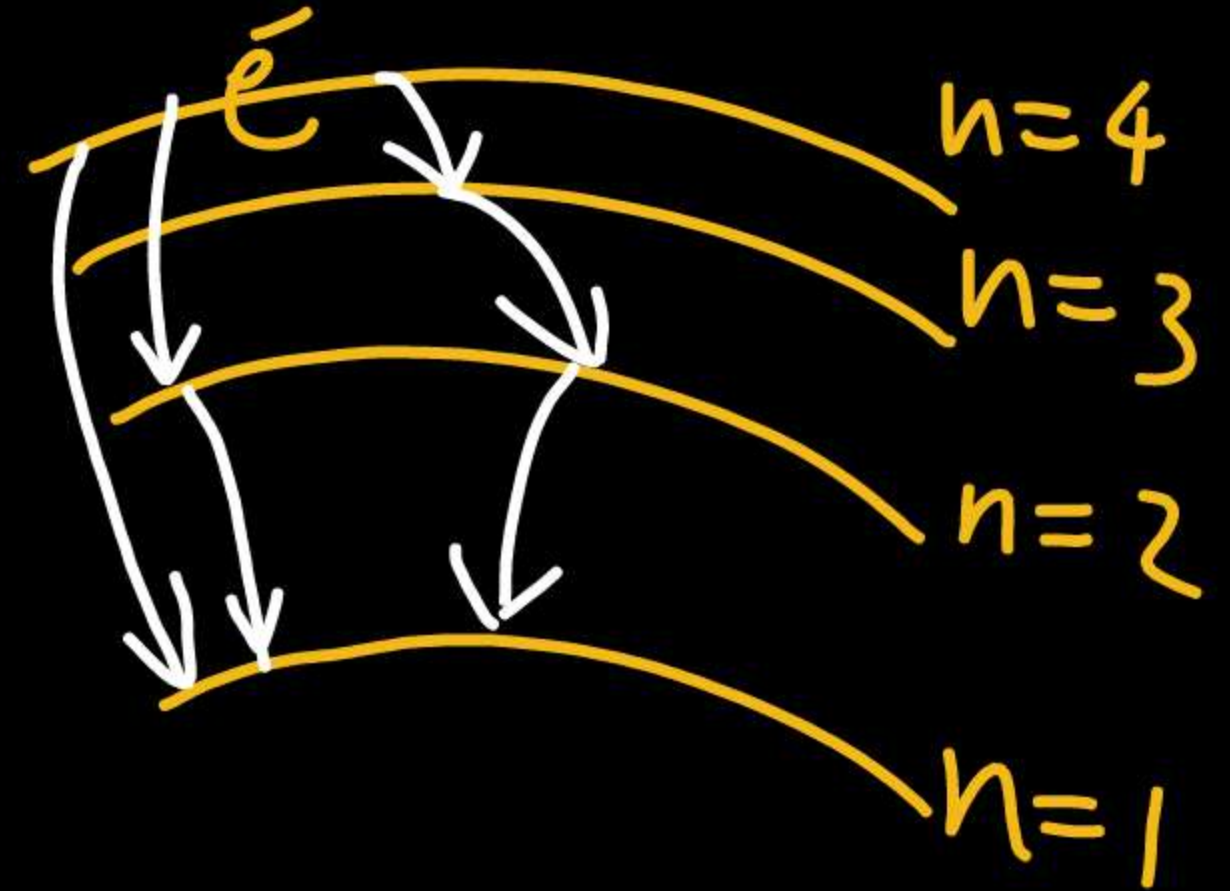
$${}^4C_2 = \frac{4 \times 3}{2 \times 1} = 6$$

Bohr's Atomic Model (1913): De-Excitation of an atom

Q. What could be the maximum/minimum number of spectral lines emitted by one atom from n th state?



$(n-1)$ Spectral lines
(Max^m)



Bohr's Atomic Model (1913): Ionization & Excitation of an atom

$$(T.E) \quad E_n = -\frac{(13.6 \text{ eV}) Z^2}{n^2}$$

$$E_1 = -13.6 \text{ eV} \quad (\text{Lower energy})$$

$$E_4 = -0.84 \text{ eV} \quad (\text{Higher energy})$$

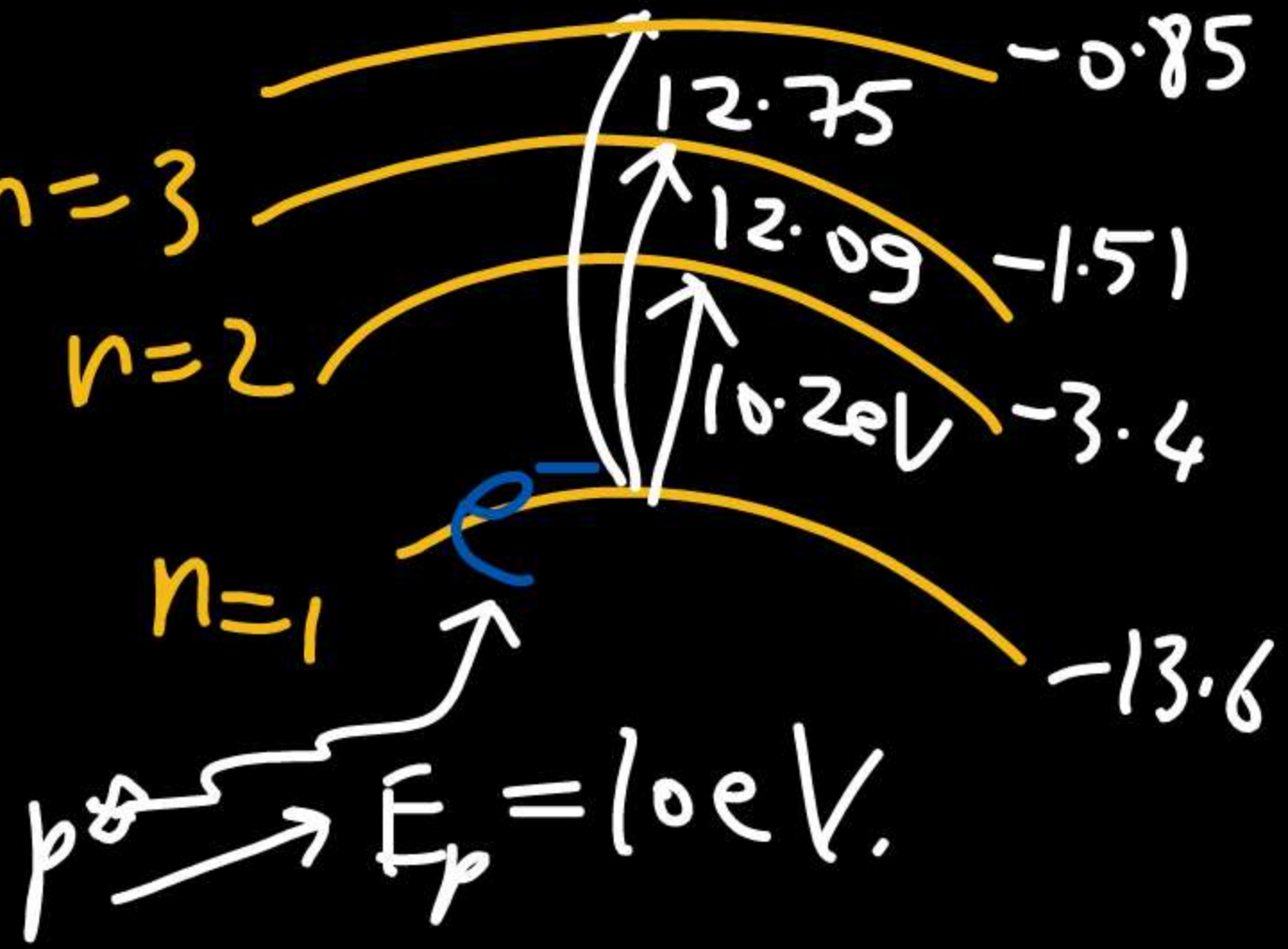
Bohr's Atomic Model (1913): Ionization & Excitation of an atom

$n = n_1$ to $n = n_2$

$n = n$ to ∞

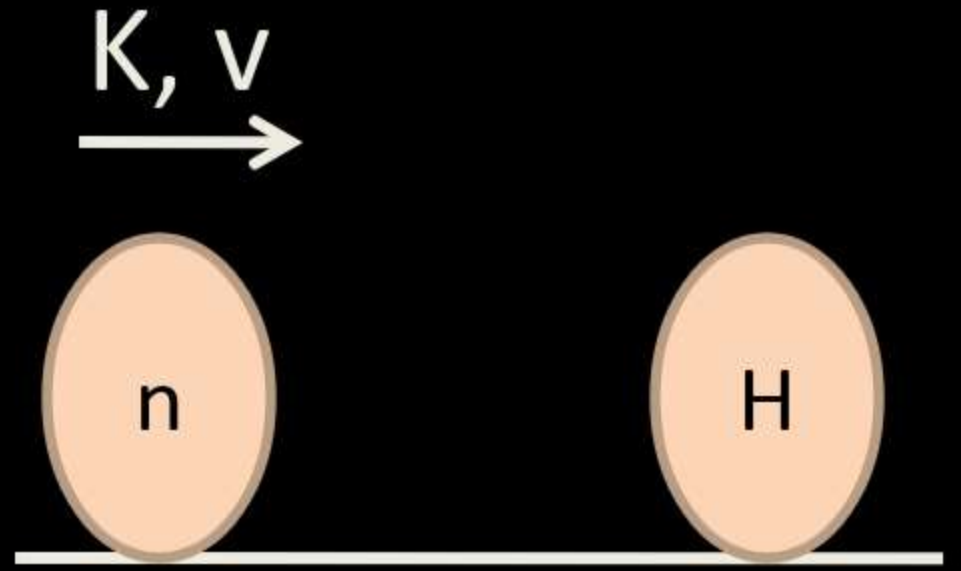
Two ways to excite/ionize e^-

- 1). Striking EM radiation (Photons)
- 2). through collision.



Bohr's Atomic Model (1913): Ionization & Excitation – Atomic Collision

Q 1). H-atom at rest in ground state & free to move.
 Neutron with kinetic energy, K collides with it.
 What will be the type of collision, if
 $K = 14 \text{ eV}$, 20.4 eV , 22 eV , 24.18 eV



if $k=14 \text{ eV}$, $\Delta E_N = (0, 7 \text{ eV})$
elastic collision

if $k=20.4 \text{ eV}$, $\Delta E_N = (0, 10.2 \text{ eV})$

$\Delta E = [0, 10.2 \text{ eV}, 12.09 \text{ eV}, 12.75 \text{ eV} \dots]$

As per Newtonian Mech: $\Delta E = ?$

$$\Delta E = [0, K/2]$$

(Energy loss in collision) →

1). elastic collision,

2). perfectly inelastic collision,

$$\Delta E_{\max} = k/2$$



Conservation of momentum → $m v_0 = 2m v_f$
 $v_f = v_0/2$

final k.E. = $k_f = \frac{1}{2} \times 2m v_f^2$
 $k_f = \frac{1}{2} \times 2m (v_0/2)^2 = \frac{m v_0^2}{4}$
 $k_f = k_i/2$