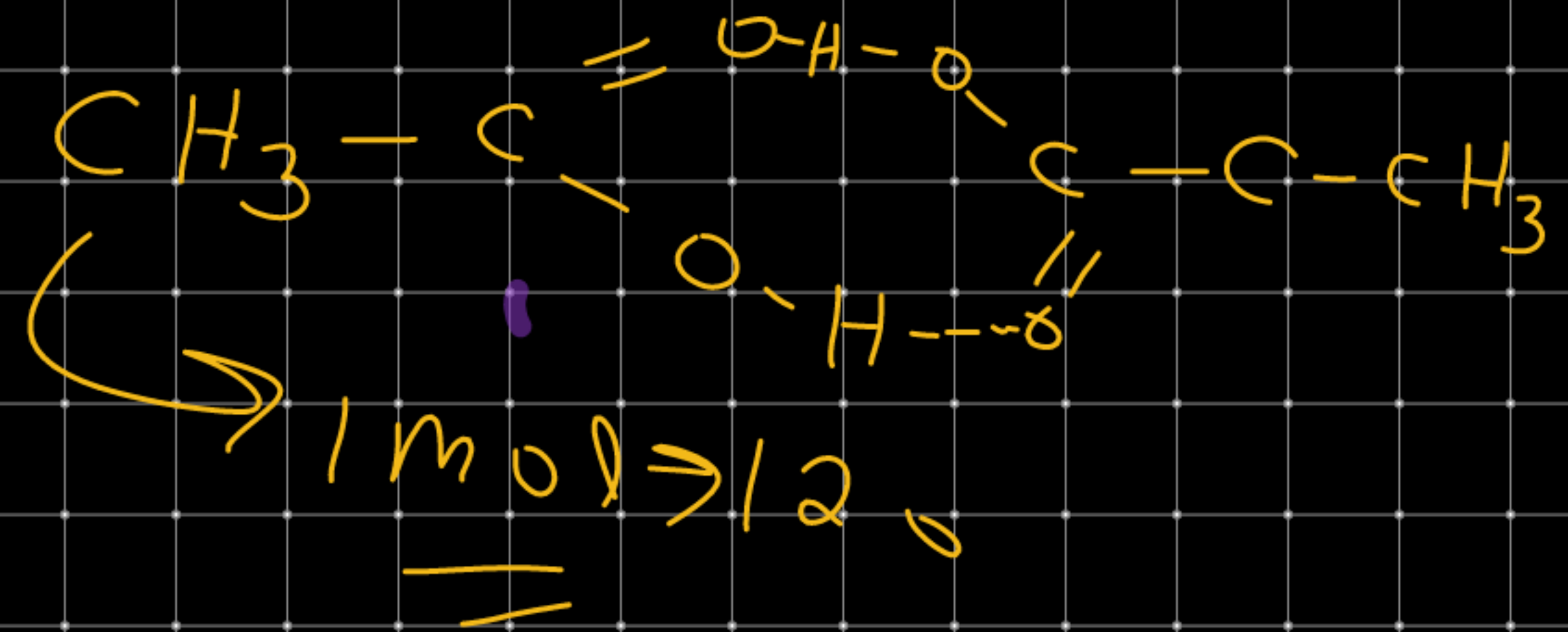


1 mol → 60



Abnormal colligative property of

Abnormal molecular weight $\frac{m}{M}$

It has been observed that difference in the observed and calculated molecular

mass of solute is due to dissociation or association of solute molecules in solution.

It results change in no of particles in solution

Vant Hoff factor (i) :-

It tells relationship between normal colligative property and abnormal colligative property.

$$i = \frac{\text{Abnormal (observed) colligative property}}{\text{Normal (calculated) colligative property}}$$

$$i = \frac{\text{no. of particles after dissociation or association}}{\text{no. of particles before dissociation or association}}$$

$$i = \frac{\text{normal (Calculated) Molecular weight}}{\text{Abnormal (observed) molecular weight}}$$

$$i = \frac{M_{\text{normal}}}{M_{\text{Abnormal}}}$$

Urea, glucose

- (i) If $i = 1 \Rightarrow$ Neither dissociation nor association ex:-
 (ii) if $i > 1 \Rightarrow$ dissociation occurs ex:- NaCl, CaSO_4 , Na_2SO_4
 (iii) if $i < 1 \Rightarrow$ association occurs ex:- $\text{C}_6\text{H}_5\text{COOH}$ in benzene form \rightarrow dimer

benzoic acid in benzene form diamer

Case - 1 Dissociation of solute.

No. of solute particles in solution increases

Observed/abnormal Colligative property > Theoretical/normal Colligative property

Observed/abnormal molecular weight of solute < Theoretical/normal molecular weight of solute.

∴ C.P. $\propto \frac{1}{\text{Molecular weight of solute}}$

Calculation of 'i'

Let solute is $A_x B_y$ (electrolyte)



initially 1 mol

after dissociation $(1-\alpha)$

$x\alpha$ $y\alpha$

Total no. of particles before dissociation = 1

— , — after dissociation = $1 - \alpha + \underline{x\alpha + y\alpha}$

$$= 1 - \alpha + \alpha(x + y)$$

$$\left. \begin{array}{l} \\ \\ \\ \\ \\ \end{array} \right\} x + y = n$$

$$= 1 - \alpha + n\alpha$$

$\overset{\circ}{-}$ \parallel $\frac{1 - \alpha + n\alpha}{1}$ \rightarrow

$$\overset{\circ}{-} \parallel = 1 - \alpha + n\alpha$$

$$\overset{\circ}{-} \parallel = n\alpha - \alpha$$

$$\overset{\circ}{-} \parallel = \alpha(n - 1)$$

$$\alpha = \frac{n - 1}{n - 1}$$

Here $n = x + y \Rightarrow$
 \hookrightarrow total no. of ions.

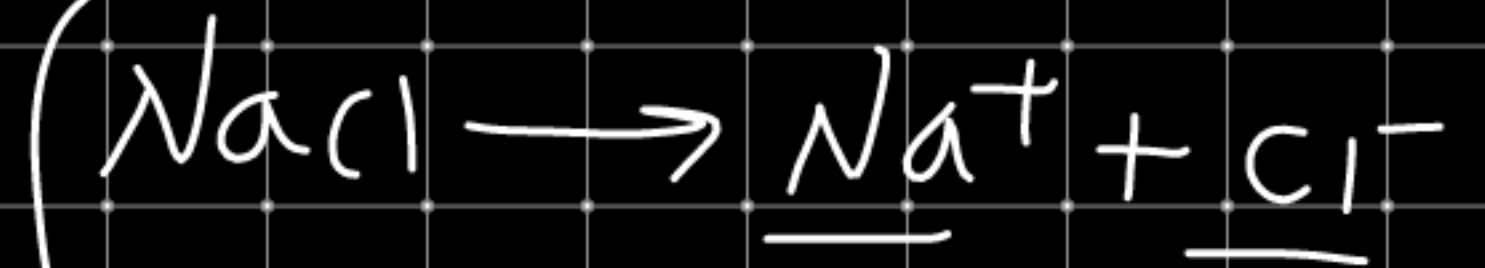
When $\alpha = 100\%$.

$$\boxed{\alpha = 1}$$

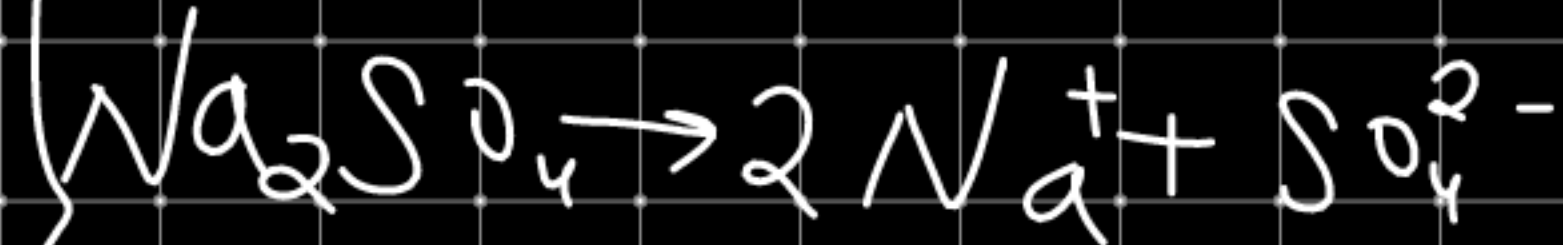
$$1 = \frac{i^{\circ} - 1}{n - 1} \Rightarrow n - 1 = i^{\circ} - 1$$

$$\boxed{i^{\circ} = n}$$

^oif $\alpha = 100\%$ then $i^{\circ} = n$ (total no. of ions.)



$$n = 1 + 1 = 2$$



$$n = 2 + 1 = 3$$

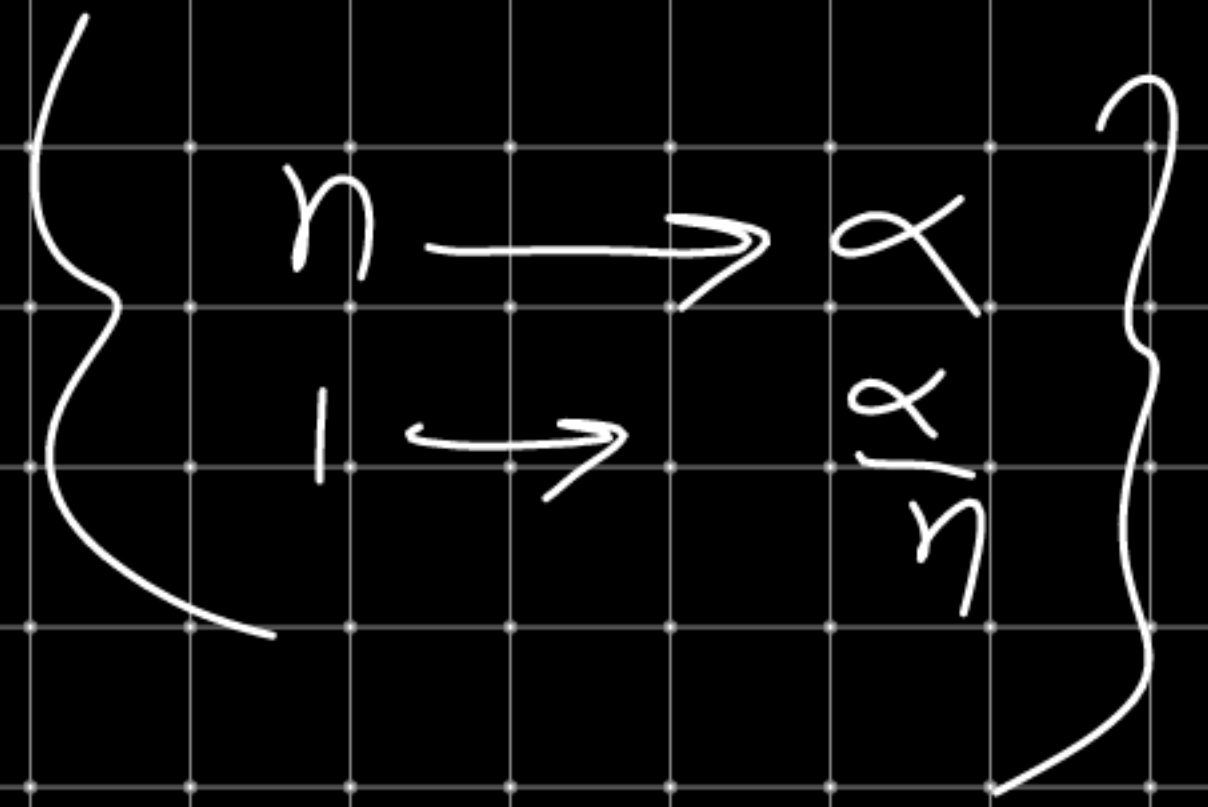
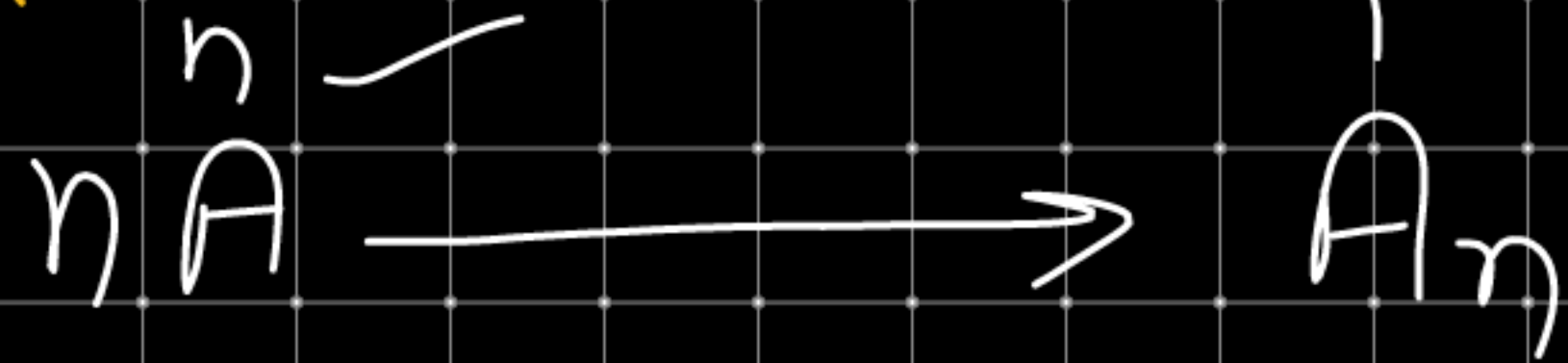
Case 2 \div Association of Solute \div

No. of Solute particles in solution decreases.

Abnormal/observed C.P. $<$ Normal/Calculated C.P.

Abnormal/observed molecular weight $>$ Normal/Calculated molecular weight.

Calculation of $i =$



initially 1 mol

after association $1 - \alpha$ α/n

no. of particles before association = 1

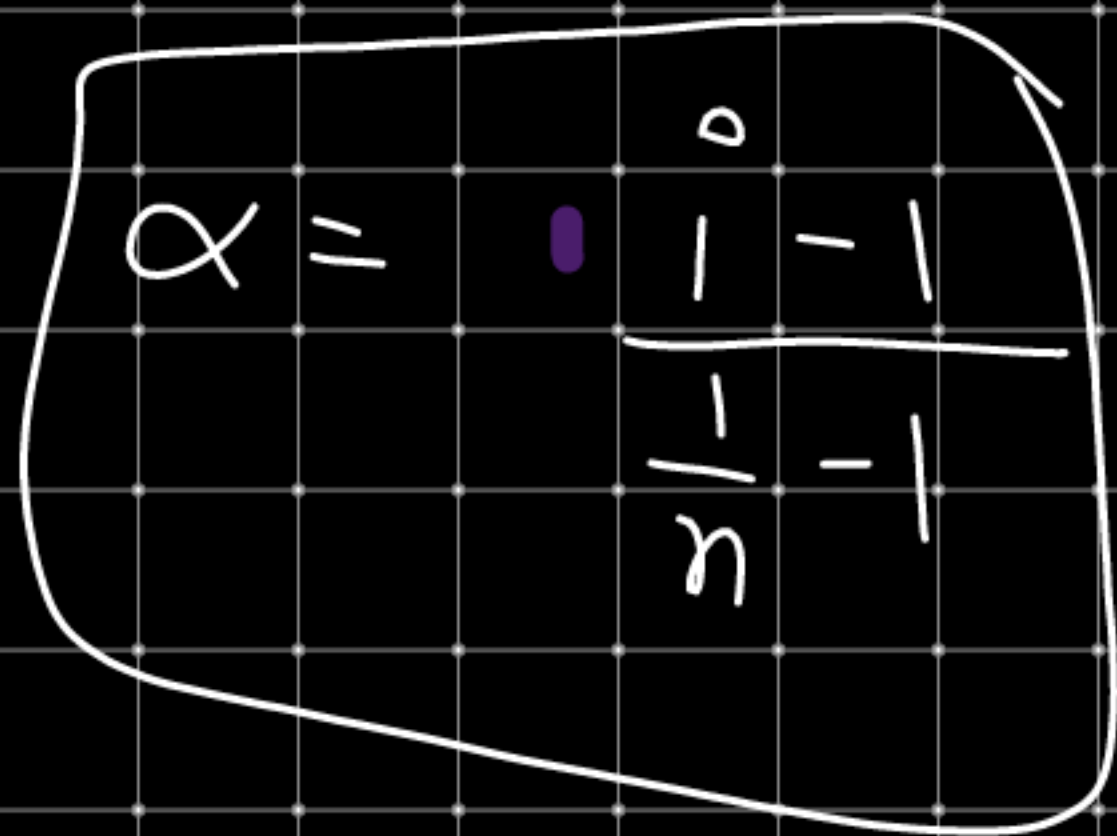
— after association = $1 - \alpha + \alpha/n$

$$i = \frac{1 - \alpha + \alpha/n}{1}$$

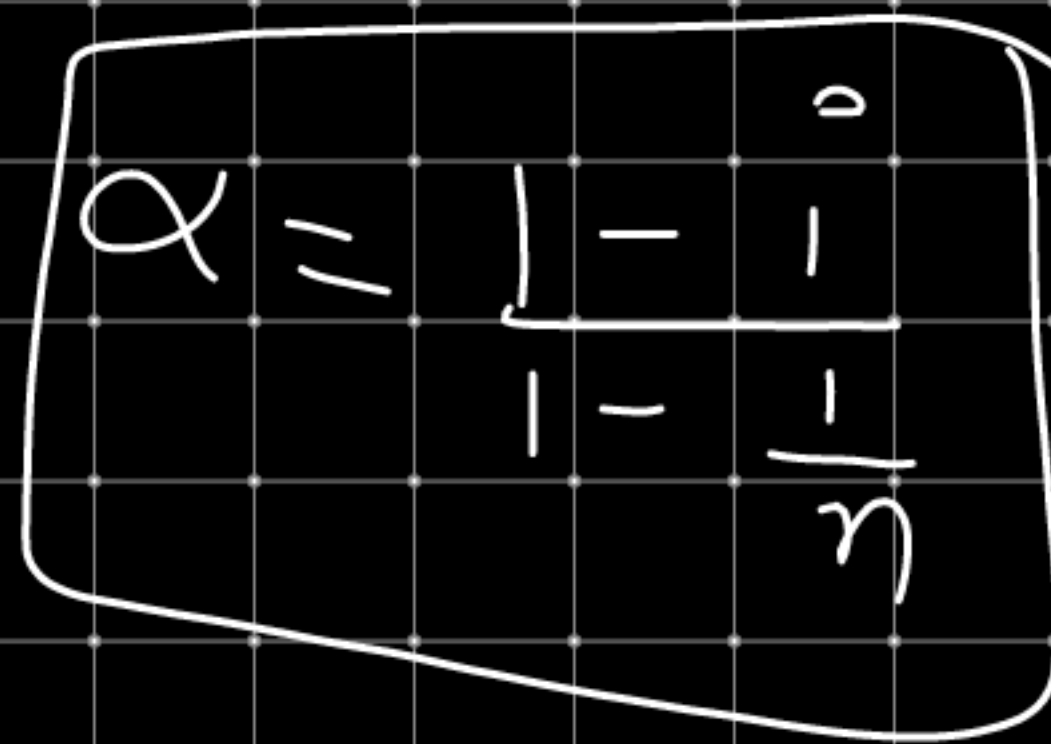
$$i^0 = 1 - \alpha + \alpha/n$$

$$i^0 = 1 - \alpha + \alpha/n$$

$$i^0 = \alpha \left(\frac{1}{1 - \alpha} \right)$$

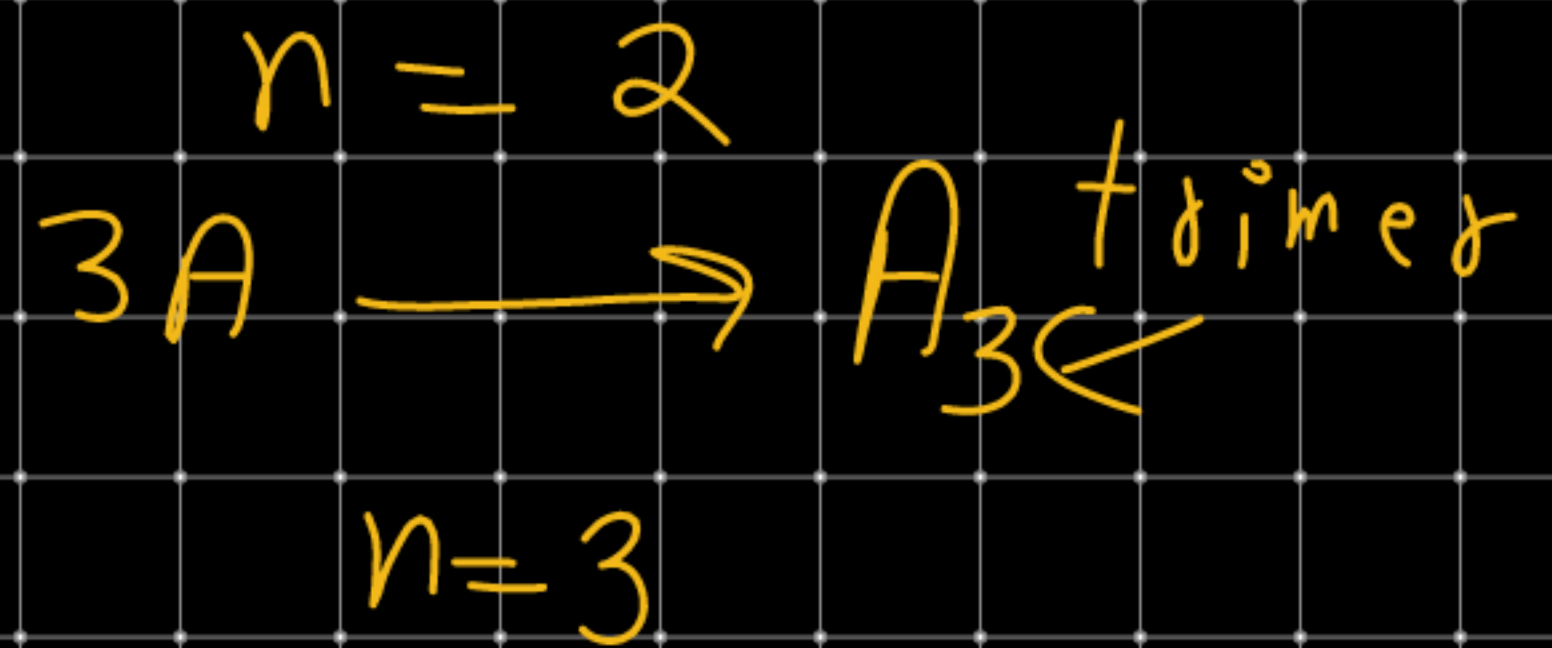
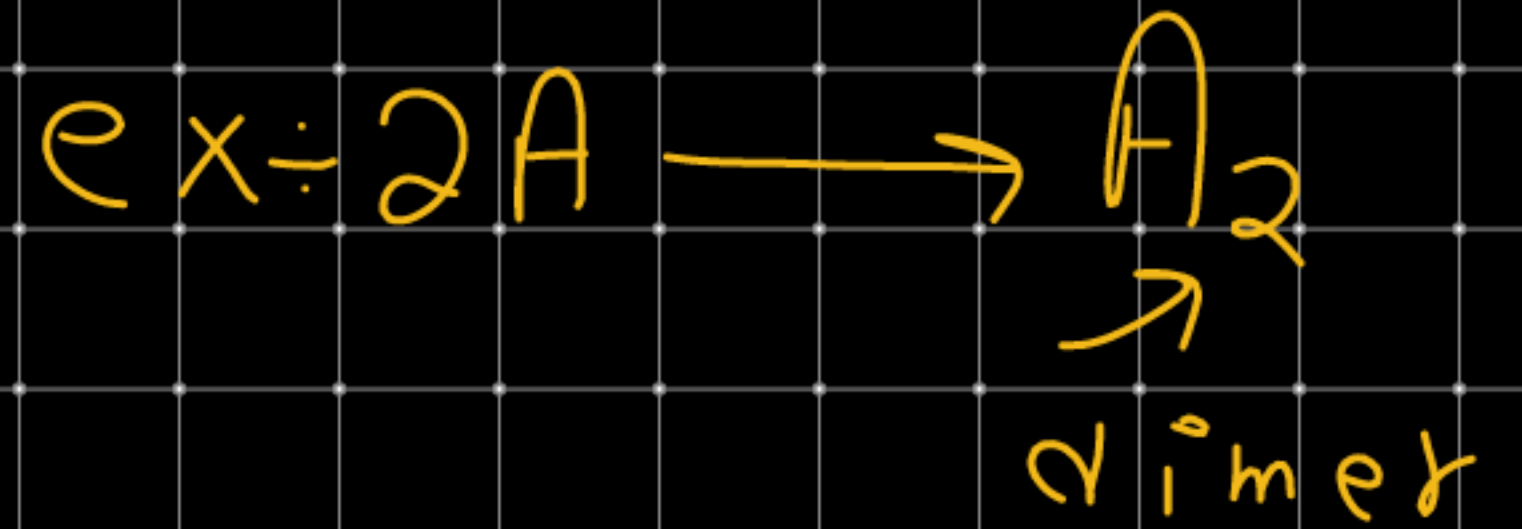


or



Here $n \Rightarrow$ no of particles

which are associated



$$\# \quad i = \frac{\text{Abnormal C.P.}}{\text{Normal C.P.}}$$

$$\left. \begin{array}{l} \text{Abnormal C.P.} \\ \text{/ observed} \end{array} \right. = i \cdot \left. \begin{array}{l} \text{Normal C.P.} \\ \text{/ calculated} \end{array} \right.$$

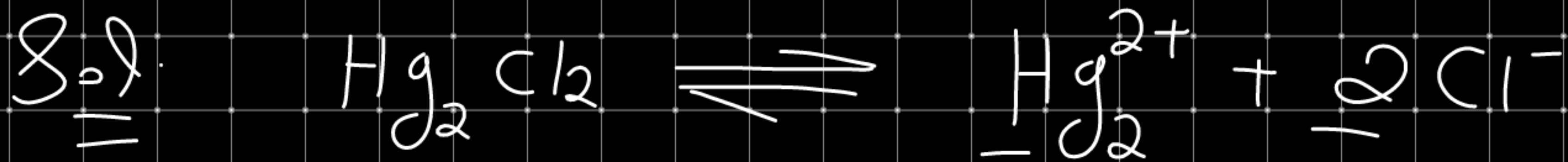
$$(1) \quad \left(\frac{P_A^{\circ} - P_s}{P_A^{\circ}} \right)_{\text{obs}} = i \cdot X_B$$

$$(2) \quad (\Delta T_b)_{\text{obs}} = i \cdot K_b \cdot m$$

$$(3) \quad (\Delta T_f)_{\text{obs}} = i \cdot K_f \cdot m$$

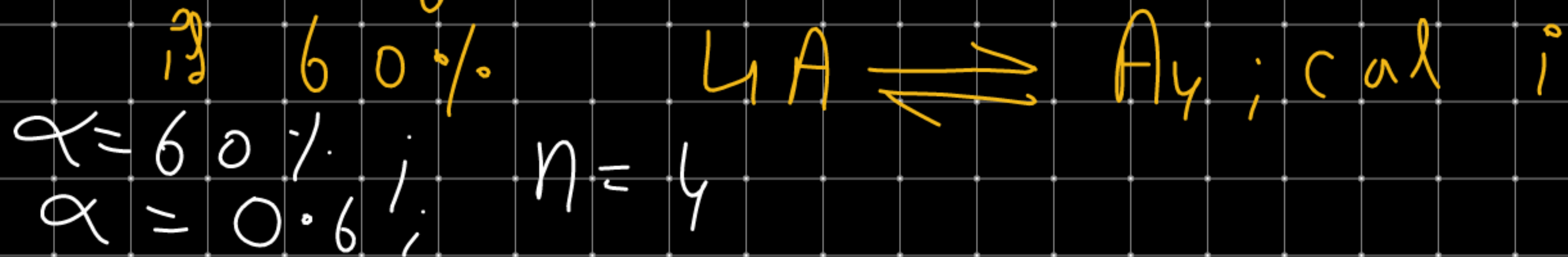
$$(4) \quad (\pi)_{\text{obs}} = i \cdot C \cdot R \cdot T$$

Ques. 1 An aq. soln of mercurous chloride (Hg_2Cl_2) dissociate to 80%. Cal. Van't Hoff factor (i)



$\alpha = 80\%$, $n = 1 + 2$, $\alpha = \frac{i-1}{n-1} \Rightarrow 0.8 = \frac{i-1}{2} \Rightarrow \frac{i-1}{2} = 1.6$
 $\boxed{\alpha = 0.8}$, $\boxed{n = 3}$; $\boxed{i = 2.6}$

Q. 2. The degree of association of following change



$$\alpha = \frac{1-i}{1-\frac{1}{3}}$$

$$0.6 = \frac{1-i}{1-\frac{1}{4}}$$

$$0.6 = \frac{1-i}{\frac{3}{4}}$$

$$1-i = \frac{0.3}{\frac{1}{6}} \times \frac{3}{4} \times 2$$

$$1-i = \frac{0.9}{2}$$

$$1 - \frac{0.9}{2} = i$$

$$\frac{2-0.9}{2} = i \Rightarrow$$

$$\frac{1.1}{2} = i = 0.55$$