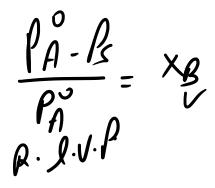
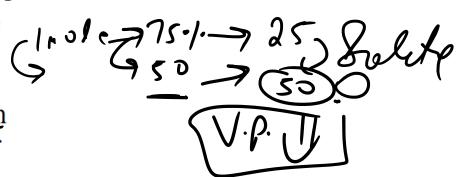


Which of the following statement is <u>not</u> correct?—

- (1) Vapour pressure of solvent containing non-volatile solute is less than the vapour pressure of a solvent.
- (2) The relative lowering of vapour pressure is equal to the mole fraction of the non-volatile solute.
- (3) The lowering of vapour pressure of a solution does <u>not depend on the</u> amount of the <u>solute particles</u> present in it.
- (4) If mole fraction of the solvent in a solution decreases, then vapour pressure of solution decreases.





If P° and P are the vapour pressures of solvent and solution, respectively, and N_1 and N_2 are the moles of solute and solvent, then $(1) (P^{\circ} - P) / P^{\circ} = N_1 / N_1 + N_2$ (2) $(P^{\circ} - P)/P = N_1/N_2$ (3) $P = P^{\circ} \times N_2 / (N_1 + N_2)$

The vapour pressure of a solvent decreased by 10 mm of Hg when a

pressure is 20 mm?

(1)
$$0.8$$
(3) 0.4

$$\frac{\rho_{A}^{\circ} - l_{S}}{l_{A}^{\circ}} = \times_{B} - \bigcirc$$

$$\frac{\left(p_{A}^{\circ} - p_{S}\right)'}{p_{C}^{\circ}} = \times p_{C}^{\circ}$$

X B = 0.9 XA = 0.8

$$\frac{2 \circ mm}{2} = \frac{0.2}{\times g}$$

$$= \frac{1}{2} = \frac{0.2}{\times g}$$

$$\frac{2 \circ mm}{2} = \frac{2}{\times g} = \frac{2}{\times g}$$

$$\frac{2 \circ mm}{2} = \frac{2}{\times g} = \frac{2}{\times g}$$

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The relative lowering of vapour pressure of a solution of 6 g of urea in 90 g of water is close to

of
$$6 \text{ g of urea in } 90 \text{ g of}$$
to
$$(2) 0$$

$$\frac{\rho_{A}^{\circ} - \rho_{S}^{\circ}}{\rho_{A}^{\circ}} = \times_{B}$$

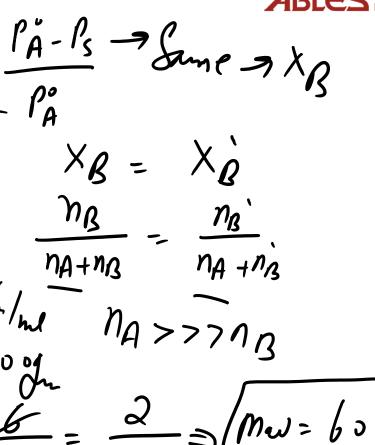
$$0.02$$
 $\eta_{R} = 6 = 0.7$

$$\frac{1}{160} = 0.1 = \frac{(4) \ 0.03}{100}$$

$$= \frac{1/10}{10} = \frac{1/10}{51/10}$$

$$= \frac{1/10}{51/10} = \frac{1/10}{51/10}$$

A 6% glucose solution and 2% solution of X show same relative lowering of vapour pressure. Assuming X to be a non-electrolyte molecular weight of X is (1) 306 gm glucose 10 om 2 soln





Freezing point of the solution which has 0.1 mole of sugar dissolved in 250 g water is (freezing point depression constant for water is 1.86°C/molal

(1)
$$-1.86^{\circ}$$
C $T_{f} = 1$

$$(2) -0.460$$
°C

(3)
$$-0.744^{\circ}$$
C (4)

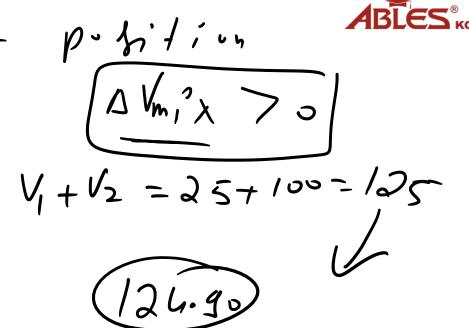
$$f = m k_b.$$

$$= \frac{\omega_{s}}{m \cdot \omega} \frac{1000}{m \cdot \omega} \cdot k_b$$

$$= 0.1 \times 1000$$

100 mL of a liquid A was mixed with 25 mL of a liquid B to give a non-ideal solution of A–B mixture having positive deviations. The volume of this mixture would be

- (1) 75 mL
- $(2) 125 \,\mathrm{mL}$
- (3) just more than 125 mL
 - (4) just close to 125 mL but not exceeding 125 mL





Mixture of volatile components of A and B has total vapour pressure

$$P = 254 - 119x (x = \text{mol fraction of B})$$

Hence P_A° and P_B° are

$$P_{S} = P_{A}^{\circ} \times A + P_{B}^{\circ} \times B$$

$$\times A = 1 - \times B$$

(2) 119, 254
$$P_S = P_A^o (I - X_B) + P_B^o X_B$$

19, 254
$$l_{S} = l_{A}^{\alpha} (1 - \chi_{B}) + l_{B}^{\alpha} \chi_{B}$$

35, 119
$$= l_{A}^{\alpha} - l_{A}^{\alpha} \chi_{B} + l_{B}^{\alpha} \chi_{B}$$

$$= l_{A}^{\alpha} - l_{A}^{\alpha} \chi_{B} + l_{B}^{\alpha} \chi_{B}$$

$$= l_{A}^{\alpha} + \chi_{B} (l_{B}^{\alpha} - l_{A}^{\alpha})$$

$$= l_{A}^{\alpha} + \chi_{B} (l_{B}^{\alpha} - l_{A}^{\alpha})$$

$$= l_{A}^{\alpha} - l_{A}^{\alpha} \chi_{B} + l_{B}^{\alpha} \chi_{B}$$

$$= l_{A}^{\alpha} - l_{A}^{\alpha} + l_{A}^{\alpha} + l_{B}^{\alpha} \chi_{B}$$

$$= l_{A}^{\alpha} - l_{A}^{\alpha} + l_{A}^{\alpha} + l_{B}^{\alpha} + l_{A}^{\alpha} + l_{A}^{$$

For an ideal binary liquid solution, the plot of $\underline{P_{\text{total}}}$ versus $\underline{\chi_A}$ (mole fraction of liquid A) is linear with slope and intercept equal to

$$(1) \quad P_A^{\circ} - P_B^{\circ}, P_A^{\circ}$$

$$(3) P_B^{\circ} - P_A^{\circ}, P_A^{\circ}$$

$$(2) P_A^{\circ} - P_B^{\circ}, P_B^{\circ}$$

$$(4) \quad P_B^{\circ} - P_A^{\circ}, P_B^{\circ}$$



$$S = P_A \times A + P_B \left(1 - X_A \right)$$

$$P_{S} = XA (P_{A} - P_{B}) + P_{B}$$

$$Y$$

$$X m + c$$



1 mol A + 3 mol B (volatile liquids) are in a mixture.
$$P_A^{\circ} = 300$$
 mm and $P_B^{\circ} = 100$ mm. Mol fraction of B in vapour state above the solution is

$$B = \frac{300/4}{6002} = \frac{300/4}{600}$$



1	2	3	4	5	6	7	8	9	10
3	4	2	1	2	3	3	3	2	3