

Out of NER 1's Population genetics

Study of gene frequency in a population is called population genetics

① Gene pool (Sum total of genes in reproductive gametes)

frequency of M gene $P = \frac{M}{M+N} = \frac{120}{120+80} = \frac{120}{200} = \frac{6}{10} = 0.6$

frequency of N gene $q = \frac{N}{M+N} = \frac{80}{120+80} = \frac{80}{200} = \frac{4}{10} = 0.4$

$M = 0.6$ $N = 0.4$
 $M + N = 0.6 + 0.4 = 1$

MM = 50
MN = 20
NN = 30

①. Total (N) gene 30 x 2 = 60

Hardy Weinberg Law
1908 (G.H Hardy (German physicist))

This law \Rightarrow factors. 1) In this equation frequency of dominant Allele $\Rightarrow A \rightarrow P$

2) frequency of Recessive Allele, frequency of Homozygous Dominant $AA \rightarrow P^2$

$$P^2 + 2Pq + q^2 = 1$$

$A \rightarrow P$ $AA \Rightarrow P^2$
 $a \rightarrow q$ $aa \Rightarrow q^2$

$\underbrace{Aa}_{\text{Heterozygous}} \rightarrow 2Pq$
AA
aa

3) In this eqn. frequency of recessive Allele

4) frequency of Homozygous recessive $aa \rightarrow q^2$

5) frequency of Heterozygous dom $Aa = 2Pq$

Hardy Weinberg Law
 1908 (G.H Hardy (German physicist))

This law \Rightarrow factors. 1) In this equation frequency of dominant Allele $\Rightarrow A \rightarrow P$

2) frequency of Recessive Allele $\Rightarrow a \rightarrow q$
 frequency of Homozygous Dominant $\Rightarrow P^2$

$$P^2 + 2Pq + q^2 = 1$$

A \rightarrow P AA \Rightarrow P²
 a \rightarrow q aa \Rightarrow q²

Aa Heterozygous $\Rightarrow 2Pq$

In a random population frequency of recessive genotype 0.09.
 What is the frequency of Heterozygous genotype?

$q^2 = 0.09$ $q = 0.3$
 \vee $P = 1 - q$

$2Pq \Rightarrow 2 \times 0.7 \times 0.3$
 $\Rightarrow 0.42 = 42\%$ $P = 1 - 0.3 = 0.7$

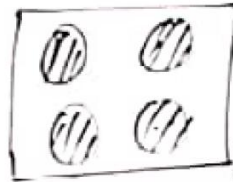
PROBABILITY (प्रायिकता)

Case = I \Rightarrow different \Rightarrow probability = ? No. of .

$m \Rightarrow$ specific case

[Coin]
①

$H = 1/2$
 $T = 1/2$



$P = ?$
 $(1/4)$

$n \Rightarrow$ Total No. of case or out

[Family]

4 ♀

5 वें पुत्र होने की संभावना?

$(1/2)$

4 बच्चे = चारों पुत्रों (sum)

$$1/2 \times 1/2 \times 1/2 \times 1/2 = 1/16.$$

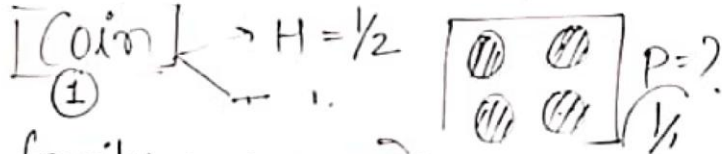
3 son 1 ♀

PROBABILITY (प्रायिकता)

Case = I \Rightarrow different \Rightarrow probability = ? No. of .

$m \Rightarrow$ Specific case

$n \Rightarrow$ Total NO. of case or out



2nd family \Rightarrow 4 बच्चे 2 पुत्र (son) Combined probability (C.P)

3rd son ? 1 पुत्री होने की संभावना

$$C.P = \frac{n}{X_1 X_2} P^{X_1} Q^{X_2}$$

$$\Rightarrow \frac{4}{3 \times 1} \left(\frac{1}{2}\right)^3 \left(\frac{1}{2}\right)^1$$

$$\Rightarrow \frac{4 \times 3 \times 2 \times 1}{4 \times 3 \times 2 \times 1}$$

$$C.P = \frac{n}{X_1 X_2} (P)^{X_1} (Q)^{X_2}$$

$X_1 =$ No. of Ist case $n =$ No. of units
 $X_2 =$ No. of IInd case $n =$ Total बच्चे

PROBABILITY (प्रायिकता)

Case = I \Rightarrow different \Rightarrow probability = ? No. of .
 $m \Rightarrow$ Specific case

[Coin] $\rightarrow H = 1/2$
 (1) \rightarrow .

⊙	⊙
⊙	⊙

$P = ?$ $n \Rightarrow$ total No. of case

In family \Rightarrow 4 बच्चे
 2nd son \rightarrow ? 1 पुत्री होने का संभावना
 2 पुत्र (son)

Q If a couple has four girls the probability of fifth child be male

Family has 9 girls pr. of 10th son?
 1) 50% . 2) 25% . 3) 75% .
 4) 100% .

Q If a fam. 10 बच्चे
 7 girls 3 boys

9 girls 10th son?

$$\therefore \frac{10}{7 \cdot 3} = \left(\frac{1}{2}\right)^7 \left(\frac{1}{2}\right)^3$$

$$= -$$